











9/15/08

HW 1: 2.6, 2.8, 2.11 due 9/22/08

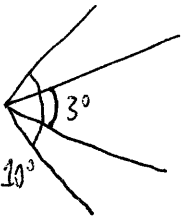
20/20: normal vision

$$H = \frac{1}{3} \text{ in} \quad d = 20 \text{ ft}$$

20/40

$$H = \frac{1}{3} \text{ in} \quad d = 10 \text{ ft}$$

Vision Region(s)



Ex. 20/20 vision  $H = 2 \text{ in}$   $d = 90 \text{ ft}$

20/50 vision  $H = 2 \text{ in}$   $d = ?$

$$x = 90 \text{ ft} \cdot \frac{20}{50} = 36 \text{ ft}$$

20/60 vision  $H = ?$   $d = 90 \text{ ft}$

$$H = 2 \text{ in} \cdot \frac{60}{20} = 6 \text{ in}$$

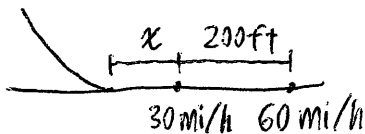
$90 : 6 = 36 : x$  Find  $H$

$$x = \frac{36 \cdot 6}{90} = 2.4 \text{ in}$$

20/40 vision

$d = 50 \text{ ft}$   $H = 1 \text{ in}$   
for 20/20

$V_0 = 60 \text{ mi/h}$   $V = 30 \text{ mi/h}$   
 $H = 8 \text{ in}$



$$d = 8 \times 50 = 400 \text{ ft (for 20/20)}$$

$$d = 200 \text{ ft (for 20/40)}$$

$$V_0 = 88 \text{ ft/s} \quad V = 44 \text{ ft/s}$$

$\delta$  = perception  
reaction time

$$x = \frac{V_0^2 - V^2}{2g(f+G)} = \frac{88^2 - 44^2}{2(32.2)(0.3)} + \underbrace{V_0}_{88 \text{ ft/s}} \cdot \underbrace{\delta}_{1.5} = 433 \text{ ft}$$

2 ways to classify highways:

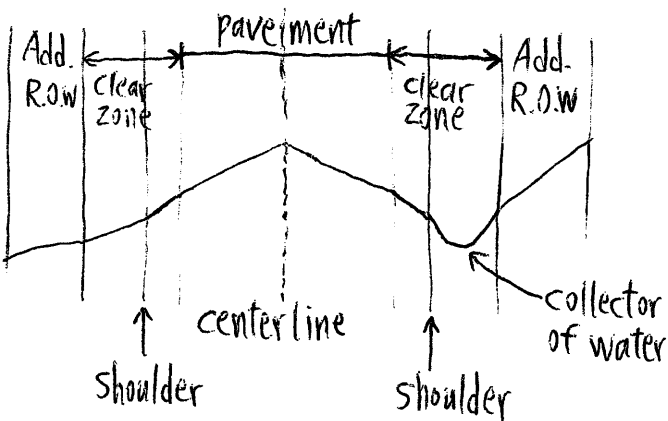
1) functionality

2) entity

	Rural	Urban
Principal Arterials	Freeways Others	Interstate Freeways Freeways Others
Minor Arterials (Collectors)	Major Minor Local Roads	Collectors Local Streets

- cross-section
- horizontal alignment
- superelevation
- vertical alignment
- intersections

### Cross-Section

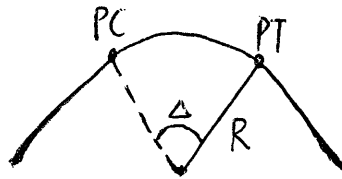
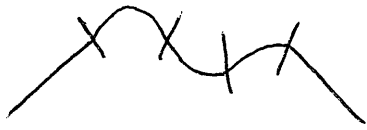


slope = Normal crown  
 $\frac{1}{8}$  to  $\frac{1}{4}$  in/ft

9/17/08

HW 1 postponed → due Fri 9/26

### Horizontal Alignment



A is located:  
 14 sta from a ref. point  
 1400 ft  
 1 sta = 100 ft

$$L = 2\pi R \cdot \frac{\Delta}{360}$$



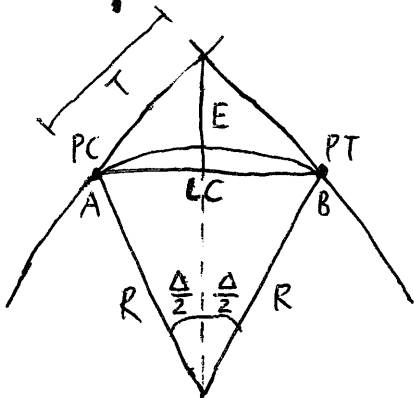
Arc definition

$$\frac{100}{2\pi R} = \frac{D}{360} \Rightarrow D = \frac{5729.58^\circ}{R}$$



Chord definition

$$\sin\left(\frac{D}{L}\right) = \frac{50}{R}$$



M = middle ordinate distance

$$M = R - R \cos \frac{\Delta}{2} = R(1 - \cos \frac{\Delta}{2})$$

T = length of tangent      L = length of curvature

$$T = R \tan \frac{\Delta}{2}$$

$$L = 100 \cdot \frac{\Delta}{D}$$

LC = long chord

$$LC = 2R \sin \frac{\Delta}{2}$$

$$e + f_s = \frac{V^2}{gR} \quad \text{OR} \quad e + f_s = \frac{V^2}{15R}$$

$$e = 0.12 \text{ ft/ft}$$

$$\begin{array}{l} \searrow 0.1 \\ \searrow 0.08 \end{array}$$

max e

$$f_s = 0.17 \quad 20 \text{ mi/h}$$

$$0.10 \quad 70 \text{ mi/h}$$

max  $f_s$

$$R_{\min} = \frac{V^2}{g(e_{\max} + f_s)}$$

$$R > R_{\min}$$

Ex. Calculate  $D$  &  $R_{\min}$

$$\Delta = 100^\circ$$

$$V = 50 \text{ mi/h}$$

$$f_{\max} = 0.14$$

$$R_{\min} = \frac{V^2}{15(e_{\max} + f_s)} = \frac{50^2}{15(0.1 + 0.14)} = 695 \text{ ft}$$

$$D = \frac{5729.58^\circ}{R} = 8.24^\circ$$

Ex. Calculate  $e$

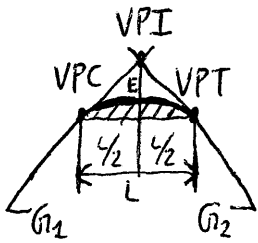
$$R = 800 \text{ ft}$$

$$V = 50 \text{ mi/h}$$

$$f_s = 0.14$$

$$e = \frac{V^2}{15R} - f_s = \frac{50^2}{15(800)} - 0.14 = 0.07 \text{ ft/ft}$$

# Vertical Alignment



freeways 2%-6%  
local streets 6%  
railroad max 4%

percent grade  $A = G_2 - G_1$   $< 0$  crest curve  
 $> 0$  sag curve

Absolute value of change in grade  $k = \frac{L}{|A|}$

$E = \frac{A \cdot L}{800}$  External Distance

offset  $\Rightarrow y = 4E \left(\frac{x}{L}\right)^2$

Highest point  $X = \frac{L G_1}{G_1 - G_2}$

Elevation of P = Elevation of VPC +  $\frac{G_1 x}{100}$  + y

Ex.  $L = 600$  ft

$G_1 = 4\%$   $G_2 = -2\%$

25+60.55 sta.  $\leq$  VPI (x)

VPC = ?

Middle of the curve

Curve elevation at 24 and 27 sta.

VPI elev. 648.64 ft

	Pt. Sta	x	tan elev.	off-set	curve elev.
VPC	22+60.55	0	636.64	0	636.64
	24	139.45	642.21	-0.97	641.25
VPI	25+60.55	300	648.64	-4.5	644.14
	27.00			-9.66	644.56
VPT				-18	642.64
High	26+60.55	400	652.64	-8.0	644.64

$A = G_2 - G_1 = -2 - (4) = -6\%$

$k = \frac{L}{|A|} = \frac{600}{6} = 100$  ft

$E = \frac{AL}{800} = \frac{-6 \times 600}{800} = -4.5$  ft

$X = \frac{L G_1}{G_1 - G_2} = \frac{600 \times 4}{4 + 2} = 400$  ft

$y = 4E \left(\frac{x}{L}\right)^2 = 4(-4.5) \left(\frac{400}{600}\right)^2 = -8.0$

Tan elev. VPC:  $648.64 - 300(.04) = 636.64$

Tan elev. P:  $636.64 + 400(.04) = 652.64$

x for 24 Sta:  $2400 - 2260.55 = 139.45$

Tan elev. 24 Sta:  $636.64 + 139.45 \times .04$

y (24 Sta) =  $4(-4.5) \left(\frac{139.45}{600}\right)^2$

9/24/08

Exercise 2.20

$L = 2000 \text{ ft}$

$G_1 = 3\% \quad G_2 = -5\%$

VPI intersects at 52+60.55 sta

VPI elevation = 877.62 ft

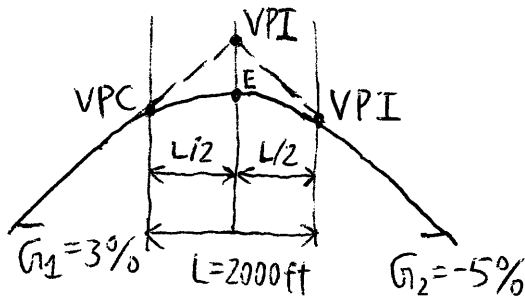
Find:

\* VPC

\* VPT

\* high point

\* 54.00 sta



$A = G_2 - G_1 = -5 - 3 = -8\%$

$K = \frac{L}{|A|} = \frac{2000}{8} = 250 \text{ ft}/\%$

$E = \frac{AL}{800} = \frac{-8 \times 2000}{800} = -20 \text{ ft}$

	Point	x	Tangent elevation	y	Curve elevation y'	
	VPC	42+60.55	0	847.62	847.62	
high pt.		50+10.55	750	870.12	-11.25	858.87
	VPI	52+60.55	1000	877.62	-20	857.62
54.00		54.00	1139	881.79	-25.95	855.84
	VPT	62+60.55	2000	907.62	-80	827.62

Note:

$y' = T_E - y$

$T_{E(VPC)} = \frac{L}{2} \times G_1 = 1000 \times 3\% = 30 \text{ ft}$

$y_{(VPT)} = 4E \left(\frac{x}{L}\right)^2 = 4 \times (-20) \left(\frac{2000}{2000}\right)^2 = -80 \text{ ft}$

High Point  $\rightarrow x = \frac{L G_1}{G_2 - G_1}$

$x = \frac{2000 \times 3}{8} = 750 \text{ ft}$

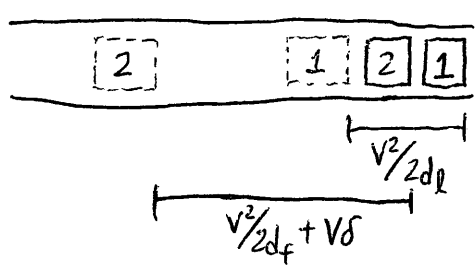
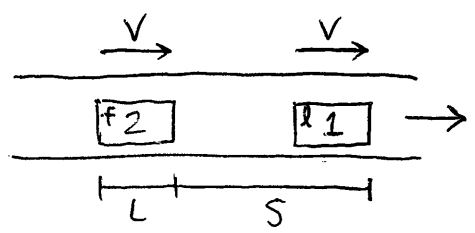
$T_{E(54.00)} = 1139 \times 3\% = 847.62$

$y = 4(-20) \left(\frac{1139}{2000}\right)^2 = -25.95$

$T_{E(HP)} = x \times G_1 = 750 \times 3\% = 12.5 \text{ ft}$

$y_{(HP)} = 4E \left(\frac{x}{L}\right)^2 = 4 \times (-20) \left(\frac{750}{2000}\right)^2 = -11.25 \text{ ft}$

Uninterrupted



$V_0$  = initial speed of vehicle  
 $d_l$  = deceleration rate of leading vehicle  
 $d_f$  = deceleration rate of following vehicle  
 $\delta$  = perception-reaction time  
 $\kappa_0$  = safety margin after stop  
 $L$  = length of the vehicle  
 $N$  = number of vehicles in train

$$\kappa_l = \frac{V^2}{2d_l} \quad \kappa_f = \frac{V^2}{2d_f} + V\delta$$

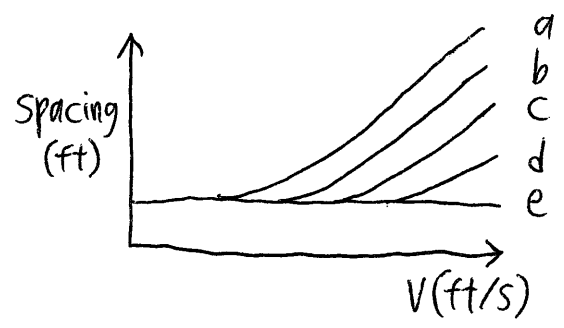
$$S = \kappa_f - \kappa_l + NL + \kappa_0$$

$$\kappa_f = S + \kappa_l - NL - \kappa_0$$

$$S = V\delta + \frac{V^2}{2d_f} - \frac{V^2}{2d_l} + NL + \kappa_0$$

$d_n$  = normal deceleration rate  
 $d_e$  = emergency " "  
 $\infty$  = instantaneous stop

- a best safety cond.
- b
- c
- d
- e worst safety cond.



$L = 20 \text{ ft}$   
 $N = 1$   
 $\kappa_0 = 3 \text{ ft}$   
 $\delta = 1 \text{ s}$   
 $d_n = 8 \text{ ft/s}^2$   
 $d_e = 24 \text{ ft/s}^2$

Regime	Decel. leading veh.	Decel. following veh.
a	$\infty$	$d_n$
b	$d_e$	$d_n$
c	$\infty$	$d_e$
d	$d_e$	$d_f$
e	no breaking	no breaking

Ex. (Prob 3.1)

$N=1$

b safety regime

$\delta = 1.5 \text{ s}$

$d_n = 8 \text{ ft/s}^2$

$d_e = 32 \text{ ft/s}^2$

$L = 40 \text{ ft}$

$x_0 = 4 \text{ ft}$

Find:

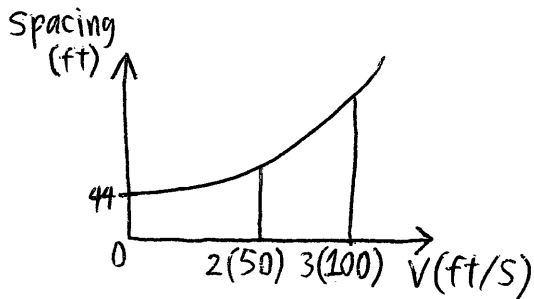
$* S \leftrightarrow V$

$d_x = d_e$

$d_f = d_n$

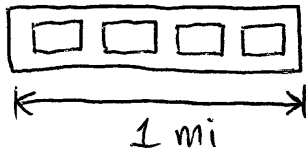
$$S = V \cdot \delta + \frac{V^2}{2d_n} - \frac{V^2}{2d_e} + NL + x_0$$

①  $S = V(1.5) + \frac{V^2}{2(8)} - \frac{V^2}{2(32)} + 1(40) + 4$

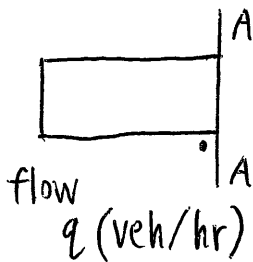


②  $S = 50(1.5) + \frac{50^2}{16} - \frac{50^2}{64} + 44$

Concentration (K): number of vehicles per roadway length



$K = \frac{4 \text{ veh.}}{1 \text{ mi}} = 4 \text{ veh./mi}$        $S = 1/K$



$h = \frac{1}{q}$  headway

Average Speed

Time Mean Speed

$M_t = \frac{1}{N} \sum_{i=1}^N v_i$

Space Mean Speed

$t_i = D/v_i$

$t_{avg} = \frac{1}{N} \sum_{i=1}^N \frac{D}{v_i}$

$M_s = \frac{1}{\frac{1}{N} \sum_{i=1}^N \frac{1}{v_i}}$

HW 2 due 10/8

2.21, 3.9, 3.14, 3.17  
?

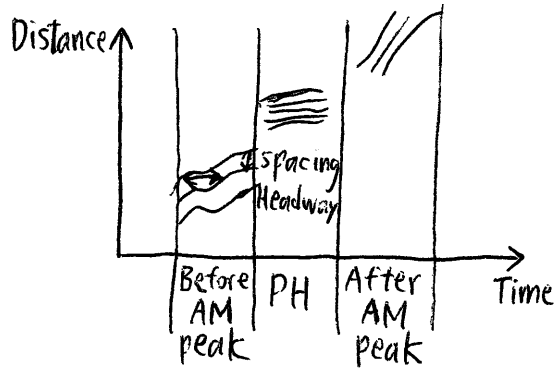
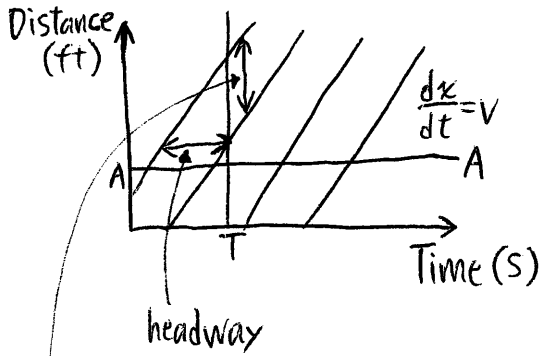
Ex.

30, 40, 50, 60 ft/s

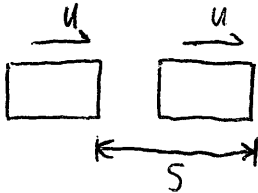
$$M_t = \frac{1}{4} \left( \frac{30+40+50+60}{1} \right) = 45 \text{ ft/s}$$

$$M_s = \frac{1}{\frac{1}{4} \cdot \left( \frac{1}{30} + \frac{1}{40} + \frac{1}{50} + \frac{1}{60} \right)} = 42.1 \text{ ft/s}$$

$M_t \neq M_s$  are different



Spacing

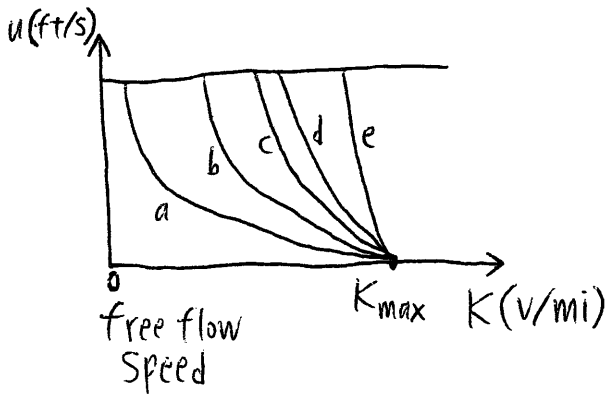


$$h = \frac{S}{u} \quad h = \frac{1}{q} \quad K = \frac{1}{S} \Rightarrow S = \frac{1}{K}$$

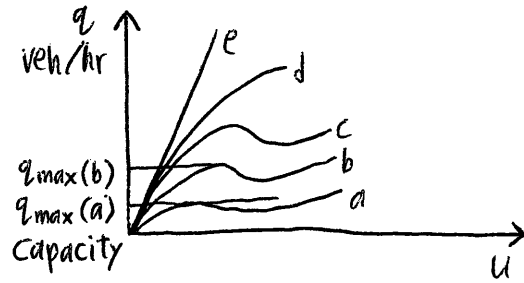
$$\frac{1}{q} = \frac{1}{K \cdot u} \quad q = K \cdot u$$

$$S = u\delta + \frac{u^2}{2d_f} - \frac{u^2}{2d_g} + NL + x_0$$

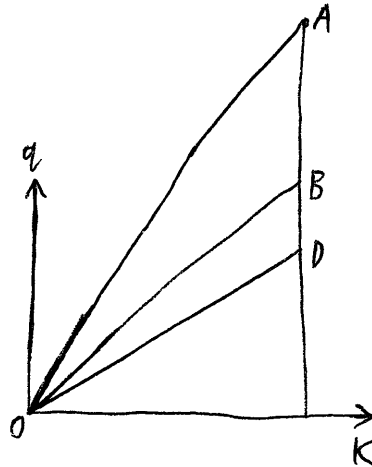
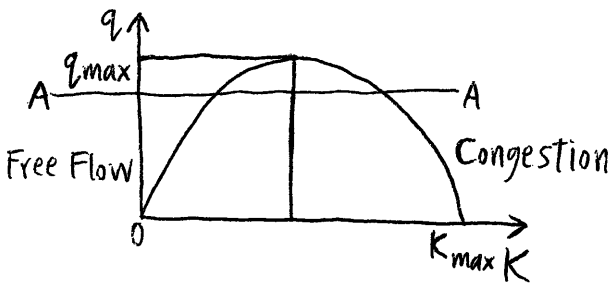
$$K = \frac{1}{S} = \frac{1}{u\delta + \frac{u^2}{2d_f} - \frac{u^2}{2d_g} + NL + x_0}$$

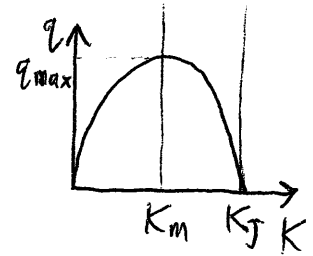
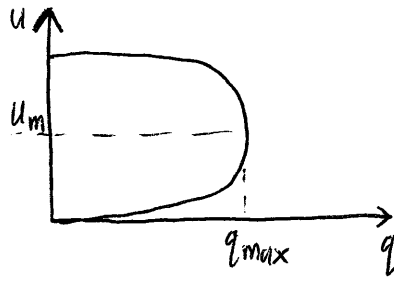
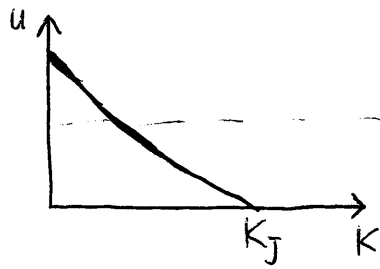


$$q = Ku = \frac{u}{u\delta + \frac{u^2}{2d_f} - \frac{u^2}{2d_e} + NL + X_0}$$



$$q = Ku \Rightarrow q = K \cdot u(K)$$



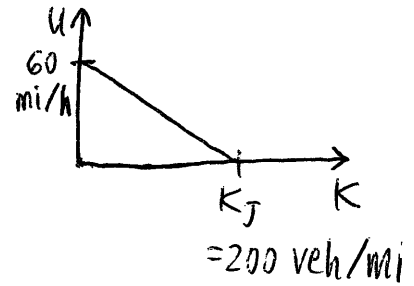


Ex. Exercise 3.4

$$S = \frac{0.30}{(60-u)}$$

- Find
- \* u-K
  - \* u-q
  - \* q-K
  - \* q\_max

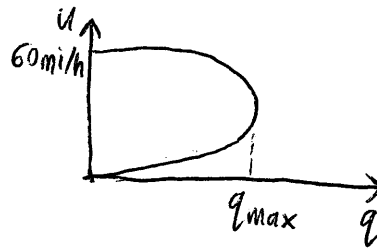
$$\frac{1}{K} = \frac{0.30}{60-u} \Rightarrow K = \frac{60-u}{0.30} = 200 - 3.33u$$



$$u = \frac{q}{K} = \frac{q}{60-u} \cdot 0.30$$

$$0.30q = 60u - u^2$$

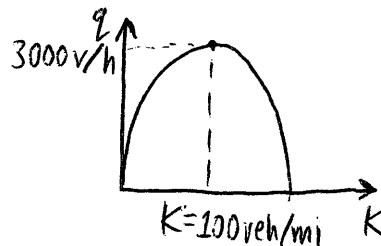
$$q = \frac{60u - u^2}{0.30} = 200u - 3.33u^2$$



$$K = 200 - 3.33 \frac{q}{K}$$

$$K^2 = 200K - 3.33q$$

$$q = \frac{200K - K^2}{3.33} = 60K - 0.3K^2$$

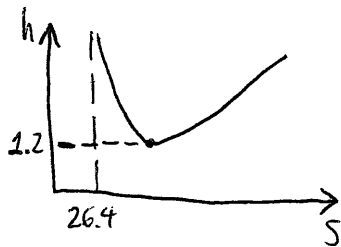


$$q_{max} \Rightarrow \frac{dq}{dK} = 0 \quad 60 - 0.6K = 0$$

$$K = 100$$

$$q_{max} = 6000 - 3000 = 3000 \text{ veh/hr}$$

Ex.



jam conditions  $u=0$   $K = \frac{60}{0.3}$



$$S = \frac{1}{K} = \frac{0.3}{60} = 0.005 \text{ mi} = 26.4 \text{ ft}$$

at capacity

$$h = \frac{1}{q_{\max}} = \frac{3600}{3000} = 1.2$$

Ex. Exercise 3.8

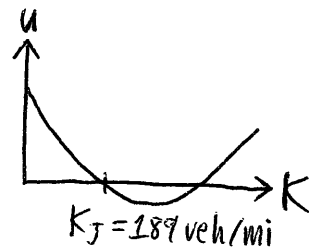
$$u + 2.6 = 0.001(K - 240)^2$$

Find:  $u_{ff}$ ,  $K_J$ ,  $q_{\max}$ ,  $u_m$   
 ↑  
 speed of free flow

$$K=0 \Rightarrow u_{ff} = 0.001(240)^2 - 2.6 = 55 \text{ mi/h}$$

$$u=0 \Rightarrow (K-240)^2 = 2.6$$

$$K_J = 189 \text{ or } 291 \text{ veh/mi}$$



$$\frac{dq}{dK} = 0 \quad q = u \cdot K = (0.001(K-240)^2 - 2.6)K$$

$$= 0.001K^3 - 0.48K^2 + 55K$$

$$\frac{dq}{dK} = 0.003K^2 - 0.96K + 55 = 0 \quad K = 75 \text{ or } 245$$

~~km~~  $K_m = 75$   $q_{\max} = 1846 \text{ veh/hr}$

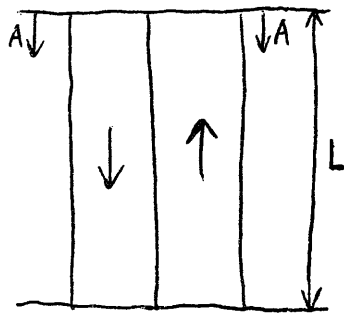
$$u_m = \frac{q_{\max}}{K_m} = \frac{1846}{75} = 24.6 \text{ mi/h}$$

For Exam 1:

- ① Rectilinear and Curvilinear Motion
- ② Perception Reaction Time & Visual Acuity
- ③ Horizontal & Vertical Alignment
- ④  $u-K-q$
- ⑤ The moving observer
- ⑥ Shock Waves

# The moving observer method

$$q = u \cdot k$$



1<sup>st</sup> case

$$q = \frac{N_o}{T}$$

2<sup>nd</sup> case

$$K = \frac{N_p}{L}$$

$$N_p = KL = KVT$$

$$= K \times L = K \times V \times T$$

3<sup>rd</sup> case

$M_o$ : number of vehicles overtake by the observer

$M_p$ : number of vehicles overtaken the observer

$$M = M_o - M_p$$

$$= qT - KVT$$

$$\frac{M}{T} = q - KV$$

↓  $T_a$   $M_a$

↑  $T_w$   $M_w$

$$q = \frac{M_w + M_a}{T_w + T_a}$$

\*  $M_o$ : car faster than obs.

\*  $M_p$ : car slower than obs.

Ex.  $L = 5$  mi

↑ $w$	$V$	$M_o - M_p$
1	10	100
2	20	-150

Find:

\*  $q$

\*  $K$

\*  $u_s$

\*  $S$

\*  $h$

$$\frac{M_1}{T_1} = q - KV_1$$

$$\frac{100}{T_1} = q - 10K$$

$$\frac{100}{0.5} = q - 10K \quad \frac{-150}{0.25} = q - 20K$$

$$200 = q - 10K \quad -600 = q - 20K$$

$$-600 = 200 + 10K - 20K$$

$$K = 80 \text{ veh/mi}$$

$$200 = q - 800$$

$$q = 1000 \text{ veh/hr}$$

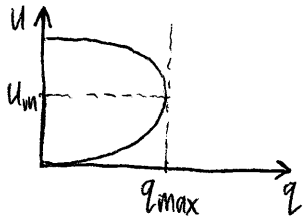
$$h = \frac{1}{q} = \frac{1}{1000} = 0.001 \text{ hr} = 3.6 \text{ s}$$

$$S = \frac{1}{K} = \frac{1}{80} = 0.0125 \text{ mi} = 66 \text{ ft}$$

$$u = \frac{q}{K} = \frac{1000}{80} = 12.5 \text{ mi/hr}$$

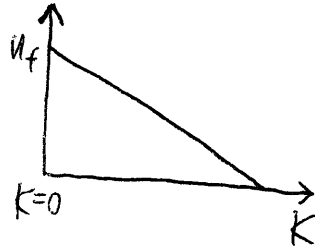
$$q = q(u) \quad q = a + bu$$

$$q_{\max} \text{ \& } u_m, \quad K_m = \frac{q_{\max}}{u_m}$$



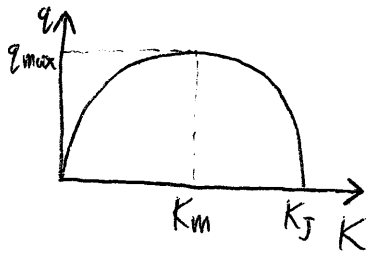
$$\frac{dq}{du} = 0 \rightarrow u$$

$$u_{ff} \quad K=0 \quad u = u(K)$$



To get  $q_{\max}$ ,  
need  $q-u$  or  $q-K$

$$K_J \quad q=0 \quad q = q(K)$$



$q_{\max}?$

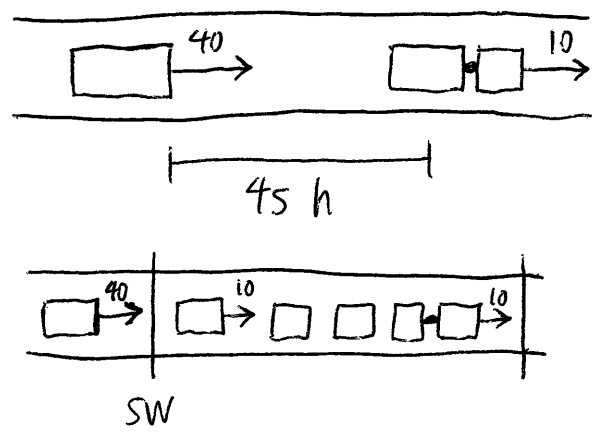
$$\frac{dq}{dK} = 0 \rightarrow K_m \rightarrow q_{\max}$$

$$q=0 \rightarrow K_J$$

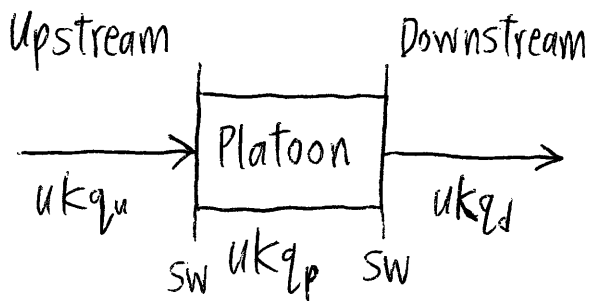
$$u_m = \frac{q_{\max}}{K_m}$$

10/6/08

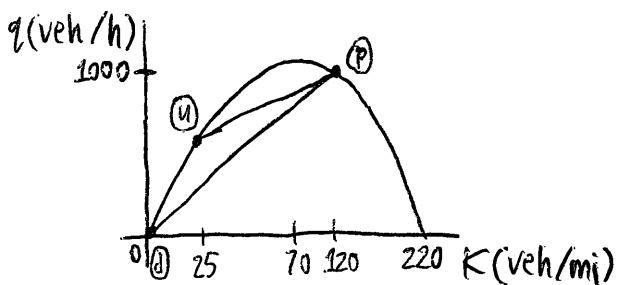
# Shockwaves



- (a) normal flow
- (b) truck enters
- (c) platoon begins
- (d)
- (e)
- (f) truck exits
- (g)
- (h)



Graphical



$$\frac{\Delta q}{\Delta K} = \frac{1200 - 1000}{120 - 25} = 2.1 \text{ mi/h}$$

$$u_{up} = 40 \text{ mi/h}$$

$$q_{up} = 1000 \text{ veh/h}$$

$$K_{up} = 25 \text{ veh/mi}$$

$$u_p = 10 \text{ mi/h}$$

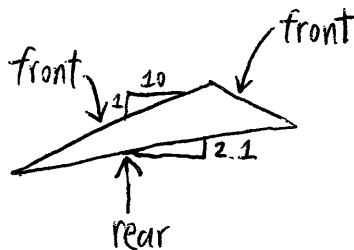
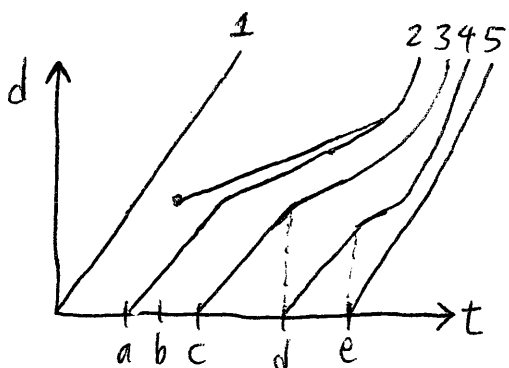
$$q_p = 1200 \text{ veh/h}$$

$$K_p = 120 \text{ veh/mi}$$

$$u_d = 40 \text{ mi/h}$$

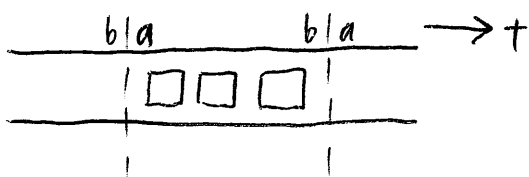
$$q_d = 0 \text{ veh/h}$$

$$K_d = 0 \text{ veh/mi}$$



Analytical Method

$$u_{sw} = \frac{q_b - q_a}{K_b - K_a} \text{ where } b \text{ is the conditions upstream of } a$$



- $u_{sw} > 0$ , shockwave  $\rightarrow$
- $< 0$ , shockwave  $\leftarrow$
- $= 0$ , stationary

$$\textcircled{1} \quad u_x, u_y > 0$$

$u_y > u_x$  forward

$u_y < u_x$  backward

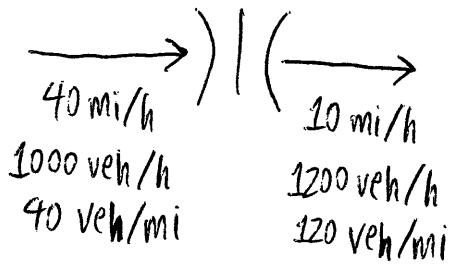
$$\textcircled{2} \quad u_x > 0, u_y < 0$$

$$\textcircled{3} \quad u_x, u_y < 0$$

similar to  $\textcircled{1}$

10/8/08

## Review

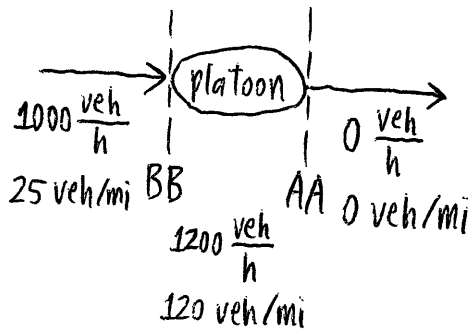


Exam 1 Fri

\* 5 or 6 problems

\* open book

## Example 3.5

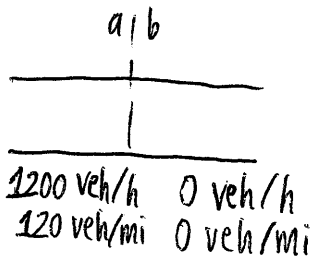


Find:

\*  $U_{sw, BB}$

\*  $U_{sw, AA}$

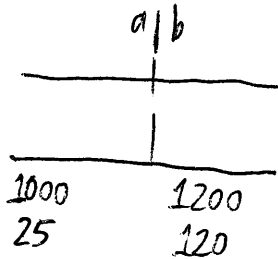
\*  $U_{sw, AA} - U_{sw, BB}$



$$U_{sw, AA} = \frac{q_b - q_a}{k_b - k_a}$$

$$= \frac{0 - 1200}{0 - 120}$$

$$= +10 \text{ mi/h}$$



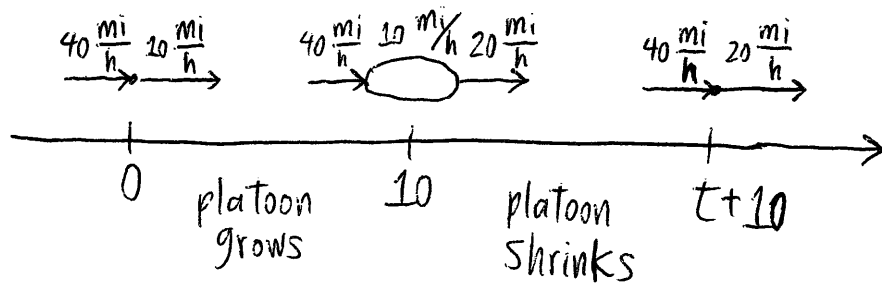
$$U_{sw, BB} = \frac{q_b - q_a}{k_b - k_a}$$

$$= \frac{1200 - 1000}{120 - 25}$$

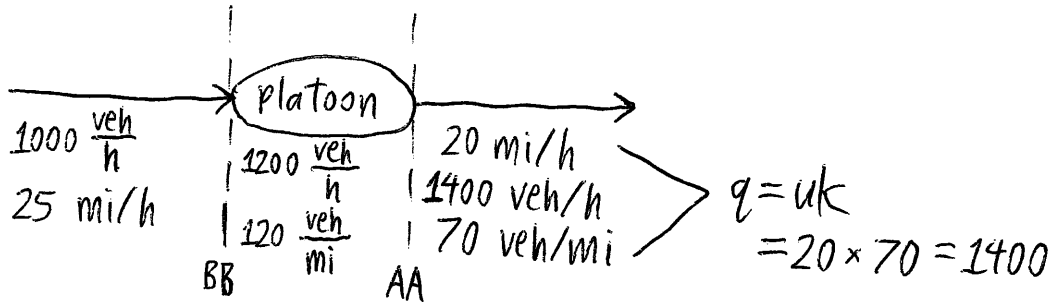
$$= +2.1 \text{ mi/h}$$

$$\Delta U_{sw} = U_{sw, AA} - U_{sw, BB}$$

$$= 10 - 2.1 = 7.9 \text{ mi/h}$$



### Example 3.6



From 3.5  $\Delta u \text{ platoon} = 7.9 \text{ mi/h}$

$$l = uT = 7.9 \frac{\text{mi}}{\text{h}} \times \frac{1}{6} \text{ h} = 1.3 \text{ mi}$$

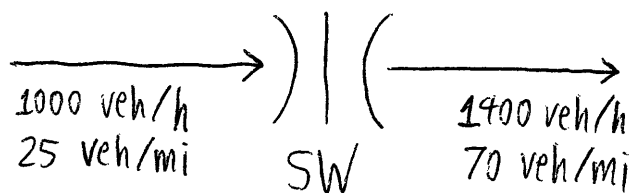
$$u_{sw, BB} = 2.1 \text{ mi/h}$$

$$u_{sw, AA} = \frac{1400 - 1200}{70 - 120} = \frac{200}{-50} = -4 \text{ mi/h}$$

$$\Delta u = -4 - 2.1 = -6.1 \text{ mi/h}$$

$$t = \frac{l}{u} = \frac{1.3 \text{ mi}}{-6.1 \text{ mi/h}} = 0.21 \text{ h} = 12 \text{ mins}$$

## Example 3.7



$$u_{sw} = \frac{q_b - q_a}{k_b - k_a} = \frac{1400 - 1000}{70 - 25} = +8.9 \text{ mi/h}$$

## Exercise 3.12

Test Run	Test Veh Speed (mi/h)	$M_o - M_p$ Veh
1	10	100
2	20	-150

eq 3.5.4  $\frac{M}{T} = q - kV$   
where  $M = M_o - M_p$

$$T_1 = 0.5 \text{ h} \quad V_1 = 10 \quad M_1 = 100$$

$$T_2 = 0.25 \text{ h} \quad V_2 = 20 \quad M_2 = -150$$

$$\frac{M_1}{T_1} = q - kV_1 \quad (1)$$

$$- \frac{M_2}{T_2} = q - kV_2 \quad (2)$$

$$\frac{M_1}{T_1} - \frac{M_2}{T_2} = (q - kV_1) - (q - kV_2)$$

$$\frac{M_1}{T_1} - \frac{M_2}{T_2} = -kV_1 + kV_2 = k(V_2 - V_1)$$

$$\frac{100}{.5} - \frac{-150}{.25} = k(20 - 10)$$

$$k = \frac{\frac{100}{.5} + \frac{150}{.25}}{20 - 10} = 80 \text{ veh/mi}$$

$$\frac{100}{.5} = q - 80(10)$$

$$q = \frac{100}{.5} + 80(10) = 1000 \frac{\text{veh}}{\text{h}}$$

$$k = 80 \text{ veh/mi}$$

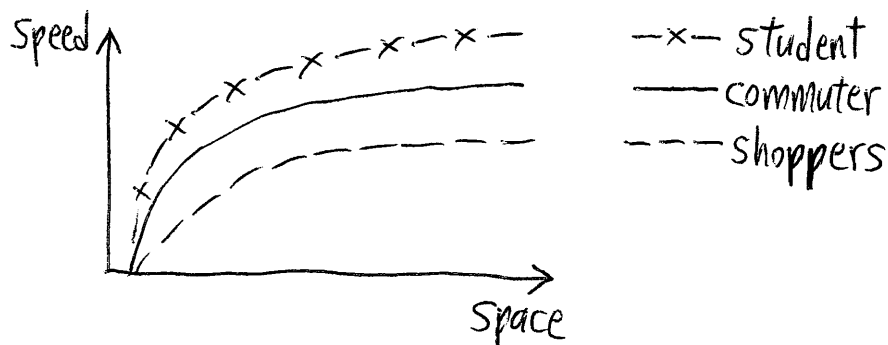
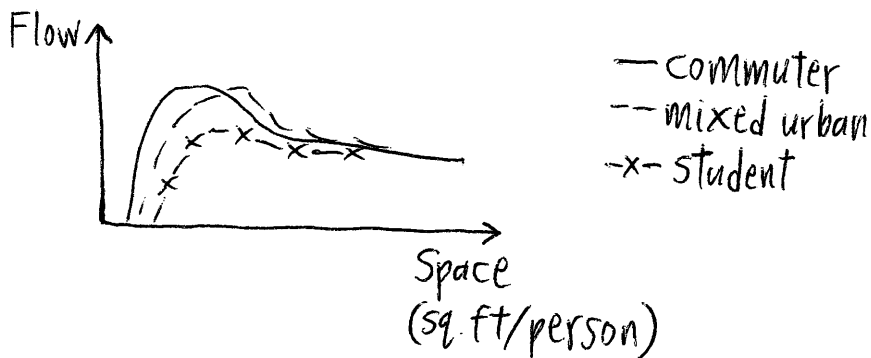
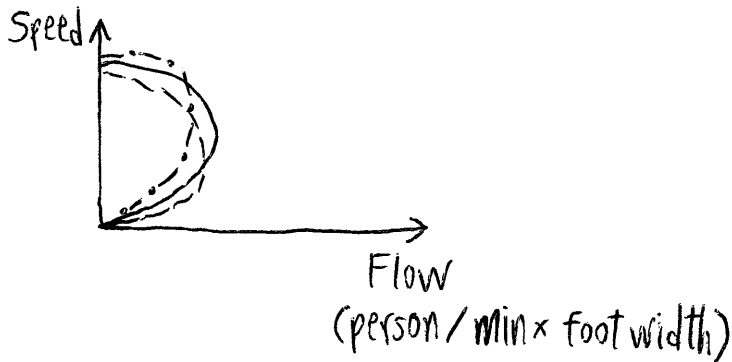
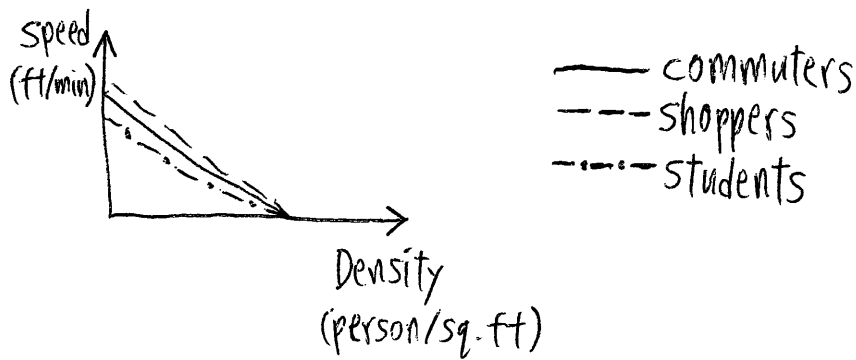
$$q = 1000 \text{ veh/h}$$

$$u = q/k = 12.5 \text{ mi/h}$$

$$S = 1/k = 0.013 \text{ mi} = 66 \text{ ft}$$

$$h = 1/q = 0.001 \text{ h} = 3.6 \text{ s}$$

10/13/08

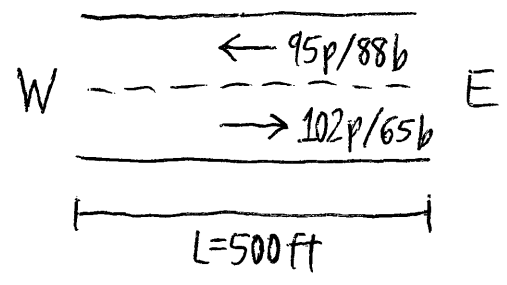


MP: number of events per hour that a bicyclist experiences

$$MP_{\text{exclusive}} = V_o + 0.118 V_s$$

$$MP_{\text{shared}} = 2.5 V_{p_o} + V_{b_o} + 3 V_{p_s} + 0.118 V_{b_s}$$

Ex.



Direction	Pedest. Vol	Biker Vol
EB	102	65
WB	95	88

Pedestrians EB

$$MP_{EB} = \frac{3600}{95} = 37.9 \text{ s} \quad \text{LOS C}$$

$$3600 \text{ s} = 1 \text{ hr}$$

Bikers EB

$$MP = V_0 + 0.118 V_s$$

$$= 88 + 0.118(65) = 95.7 \quad \text{LOS C}$$

Ped & Bike EB

Ped

$$\frac{3600}{95+88} = 19.6 \text{ s} \quad \text{LOS D}$$

Bike

$$MP = 2.5V_{p0} + V_{b0} + 3V_{ps} + 0.118V_{bs}$$

$$= 2.5(95) + 88 + 3(102) + 0.118(65)$$

$$= 639.2$$

Pedestrians WB

$$MP_{WB} = \frac{3600}{102} = 35.3 \text{ s} \quad \text{LOS C}$$

Bikers WB

$$MP = V_0 + 0.118 V_s$$

$$= 65 + 0.118(88) = 75.4 \quad \text{LOS C}$$

Ped & Bike WB

Ped

$$\frac{3600}{102+65} = 21.6 \text{ s} \quad \text{LOS D}$$

Bike

$$MP = 2.5V_{p0} + V_{b0} + 3V_{ps} + 0.118V_{bs}$$

$$= 2.5(102) + 65 + 3(95) + 0.118(88)$$

$$= 615.4$$

10/15/08

# Transit Systems

$q$  veh/h

$N = qT$        $T_{rt}$ : time to complete trip (roundtrip)

$F = N \cdot \frac{T_{rt}}{T}$        $F = qT \cdot \frac{T_{rt}}{T} = qT_{rt}$        $T_{rt}$ : sum of travel time between stops and dwelling time (time at stop)

dwelling time:  $d_w = 20 - 90$  s

Ex. 10,000 passengers

2h

$T_{rt} = 30$  min

75 average occupancy

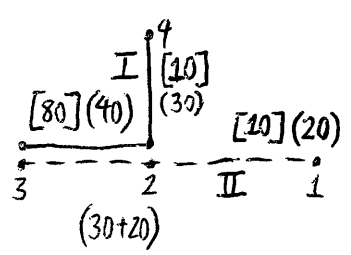
$$N = \frac{\text{\# of passengers}}{\text{capacity of veh}}$$

$$N = \frac{10000}{75} = 134 \text{ departures in 2 hrs}$$

$$q = \frac{134}{2} = 67 \text{ veh/hr}$$

$$F = \frac{67}{2} = 34 \text{ veh}$$

Ex.



[ ] outbound mov. w.r.t 3  
( ) inbound mov. w.r.t 3

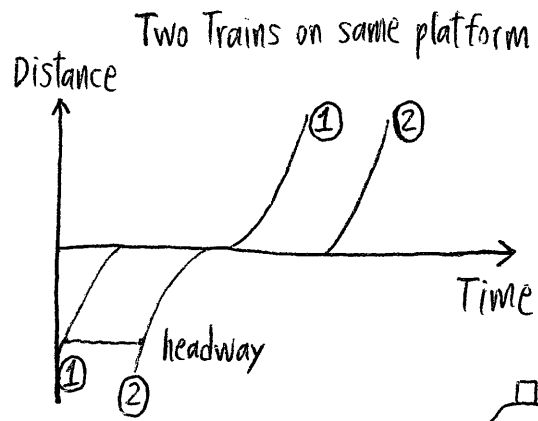
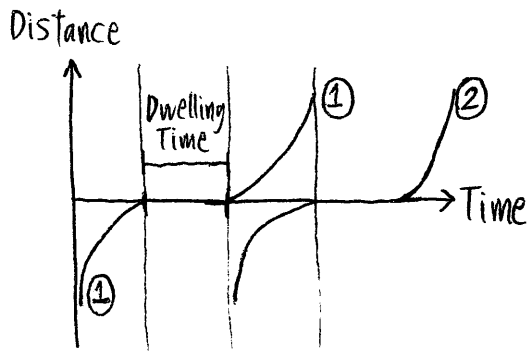
$N_I \geq 30$  departures

$N_{II} \geq 20$  departures

4-2 (I) 30 buses

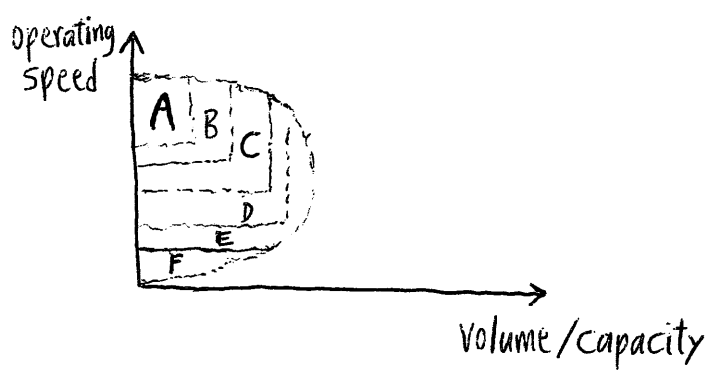
1-2 (II) 20 buses

2-3 add 30 buses



$$h_{\min} = T_{\text{dwell}} + \left( \frac{2NL}{a_n} \right)^{1/2} + \delta + \frac{u}{2d_f} - \frac{u}{2d_d} + \frac{NL + x_0}{u}$$

10/17/08



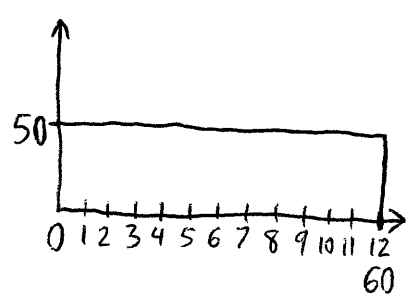
$$PHF = \frac{V}{q} = \frac{V}{N_t \left(\frac{60}{t}\right)}$$

PHF=1 uniform demand

PHF → 0 peaked demand

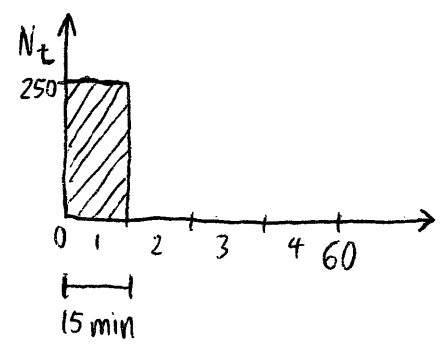
Ex. 50 vehicles  
 t = 5 mins  
 12 intervals

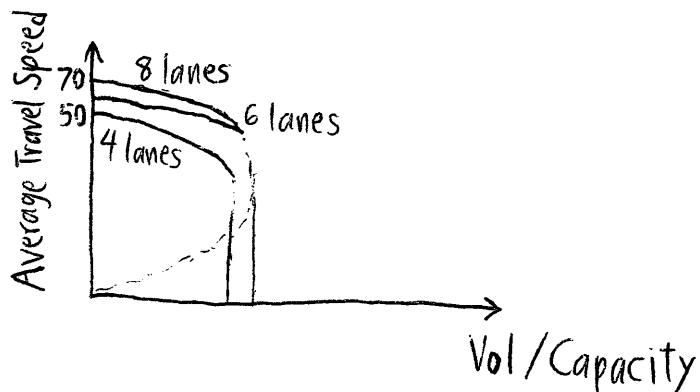
$$PHF = \frac{V}{q} = \frac{V}{N_t \left(\frac{60}{t}\right)} = \frac{600}{50 \left(\frac{60}{5}\right)} = 1$$



Ex.  $N_t = 250$  veh  
 t = 15 mins  
 V = 250 veh

$$PHF = \frac{250}{250 \left(\frac{60}{15}\right)} = 0.25$$





- $C = 2000 \text{ veh/h} \quad (70 \text{ mi/h})$
- $C = 1900 \text{ Veh/h} \quad (60 \text{ mi/h})$
- $C = 1800 \text{ veh/h} \quad (50 \text{ mi/h})$

$$D = \frac{V_p}{S} = \frac{\text{flow rate (pc/h/ln)}}{\text{average passenger car speed (mi/h)}}$$

$$V_p = \frac{V}{\text{PHF} \cdot N \cdot f_{HV} \cdot f_{dp}}$$

↑  
heavy vehicle

$$f_{HV} = \frac{1}{1 + P_T(E_T - 1) + P_R(E_R - 1)}$$

$$f_{dp} = 0.8 - \frac{1.00}{\text{all commuters}}$$

FFS measured under LOS A

$$FFS = BFFS - f_{LW} - f_{LC} - f_N - f_{INT}$$

↑            ↑  
<60       <5

$$FFS = BFFS - 1.9(12 - W)^{1.8} - (2.4 - 0.4 \times LC) - (7.5 - 1.5 \times N) + 2.5 - 1.5 \text{ Access}$$

10/20/08

Ex.  $N=3$  lanes per direction

$$L=11 \text{ ft}$$

3 ft lateral distance

1 interchange per mile

$$V=3,080 \text{ veh/h}$$

$$PHF=0.88$$

$$N_T=154$$

Assume all of them  
are commuters\*Find  $E_{HV}$  on pg. 154

$$\begin{aligned}
 S \rightarrow FFS &= 70 - 1.9(12 - W)^{1.8} - (2.4 - 0.4LC) - (7.5 - 1.5N) + (2.5 - 1.5ACC) \\
 &= 70 - 1.9(12 - 11)^{1.8} - (2.4 - 0.4(3)) - (7.5 - 1.5(3)) + (2.5 - 1.5(1)) \\
 &= 64.9 \text{ mi/h}
 \end{aligned}$$

$$D = \frac{1195}{64.9} = 18.4 \text{ pc/h/l LOS C}$$

Table 4.5.1

$$D = \frac{V_p}{S}$$

$$\begin{aligned}
 f_{HV} &= \frac{1}{1 + P_{HV}(E_{HV} - 1)} \\
 &= \frac{1}{1 + 0.05(1.5 - 1)} = 0.976
 \end{aligned}$$

$$V_p = \frac{V}{PHF \cdot N \cdot f_{HV} \cdot f_{dp}}$$

$$= \frac{3080}{0.88 \times 3 \times 0.976 \times 1} = 1195 \text{ pc/h}$$

Ex. 12

$$5 \text{ min} = t$$

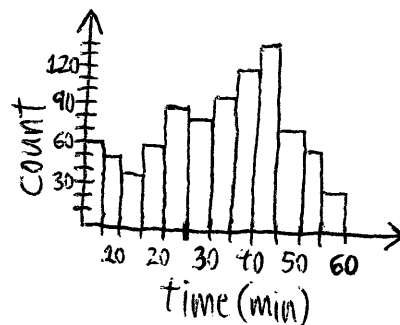
60 | 50 | 40 | 60 | 90 | 80 | 100 | 120 | 140 | 75 | 60 | 30

$$PHF = \frac{V}{N_t \left(\frac{60}{t}\right)} = \frac{925}{140 \times \left(\frac{60}{5}\right)} = 0.55$$

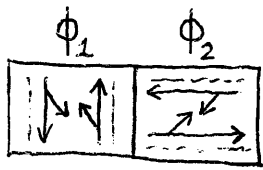
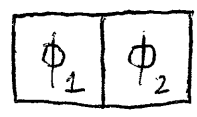
where:  $V$  = sum of observed values $N_t$  = max of observed values

$$F_i = N_i \times \frac{60}{t}$$

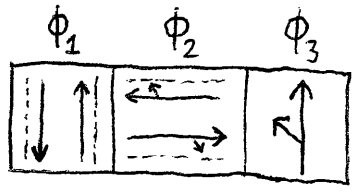
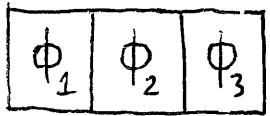
$$F_1 = 60 \times \frac{60}{5} = 720 \text{ veh/h} \quad F_{12} = 30 \times \frac{60}{5} = 360 \text{ veh/h}$$



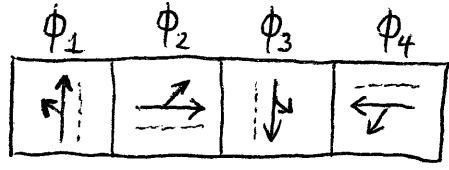
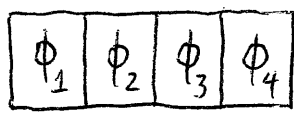
Ex.



Ex.



Ex.



10/22/08

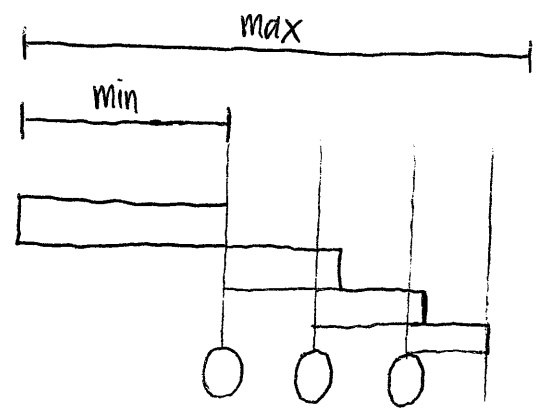
# Project Topics

- LOS intersection
- Cycle Length
- Design Survey
- Mode Choice Model
- Parking
- GIS & Land Use

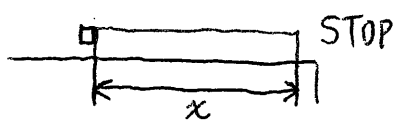
- Car Ownership
- HOT/HOV Lanes on Beltway

## Cycle Length

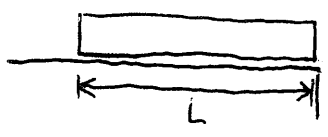
Green  $\rightarrow$  30-60s  
 $\text{min} < \text{Green} < \text{max}$



Short Loop = detects if vehicle passes



Long Loop = detects how many vehicles



$$L = 1.47V(G - V_i) - L_v$$

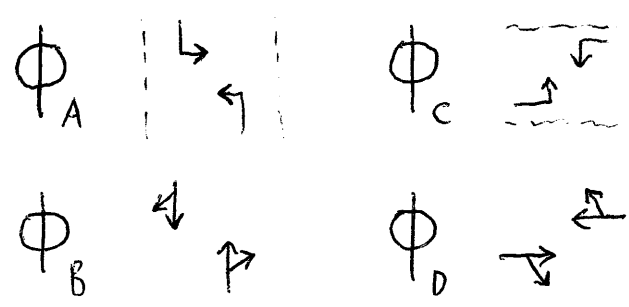
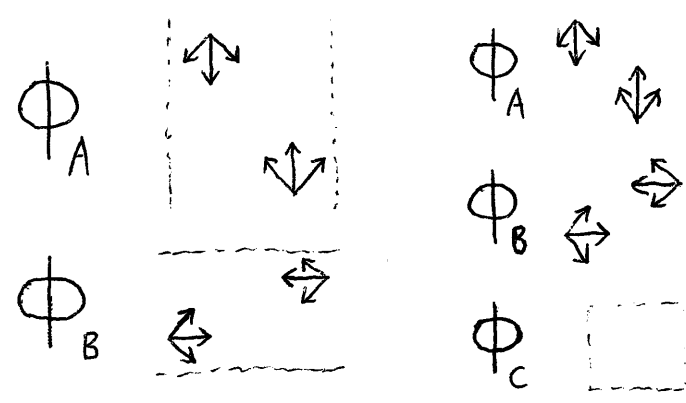
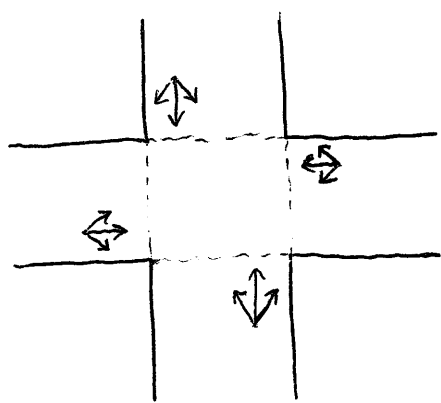
$L$  = length of the loop  
 $V$  = approach speed mi/h

$$G = 2-5 \text{ s}$$

$V_i$  = vehicle interval to travel distance  $L$

$L_v$  = vehicle length

$$\text{Minimum Green} = 4s + 2n$$

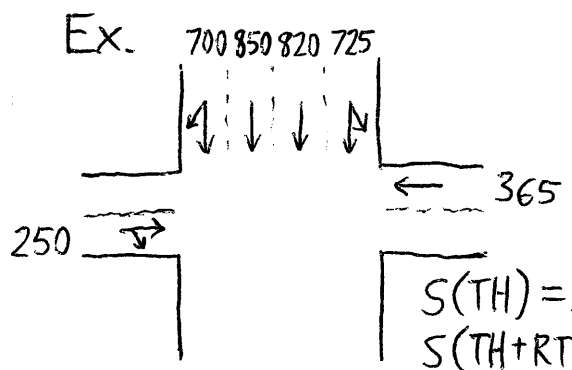


$$C_0 = \frac{1.5L + 5}{1 - CS}$$

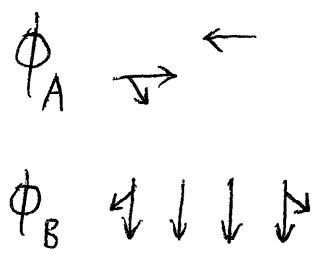
$C_0$  = optimal cycle length

$L$  = total lost time (3-4s)

$CS$  = flow ratio of critical movement



$S(TH) = 1800 \text{ veh/h}$   
 $S(TH+RT) = 1600$   
 $S(TH+LT) = 1700$



$$\phi_A \max \left\{ \frac{365}{1800}, \frac{250}{1600} \right\} = \max \{ 0.147, 0.203 \} = 0.203$$

$$\phi_B \max \left\{ \frac{700}{1600}, \frac{850}{1800}, \frac{820}{1800}, \frac{725}{1700} \right\} = 0.464$$

$$CS = 0.464 + 0.203 = 0.667$$

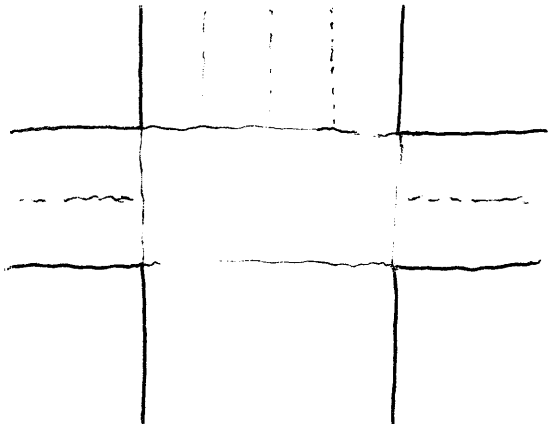
$$L = 4s \times 2 = 8s$$

$$C_0 = \frac{1.5L + 5}{1 - CS} = \frac{1.5(8) + 5}{1 - 0.667} = 51s \begin{cases} 35s \\ 65s \end{cases}$$

10/24/08

HW 3: 4.14, 4.22, 4.37 due 11/3

	Cycle Length	Y+AR	Avail. Cycle Length	Flow Ratio	CS	Green Allocation	Green	Pedestrians
E-W $\phi_A$	51s	5	42s	0.203	0.667	30.4%	12.8s	14s
N-S $\phi_B$		4		0.464		69.6%	29.2s	9s
	$C_0$	3-5s	$C_0 - (Y+AR)$	$\Sigma FR$	FR/CS	Avail CL $\times (FR/CS)$		

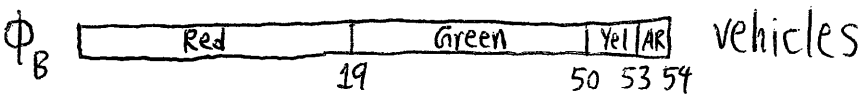
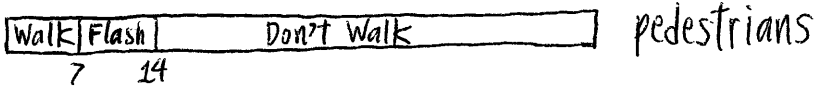
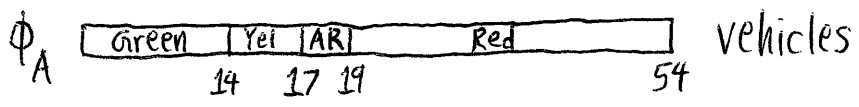


$$G_p = 7 + \frac{W}{4} - Y \quad \text{use } Y=5$$

$G_p = 7 + \frac{4 \times 12}{4} - 5 = 14s$

(Example from previous lecture)

$G_p = 7 + \frac{2 \times 12}{4} - 5 = 9s$



$$C_0 = \frac{1.5L + 5}{1 - CS}$$

6:30 - 8:30 am

6:30	15	100	
	30	250	
	45	<u>300</u>	7:00

7:30	60	400	
------	----	-----	--

7:31	15	250	
	30	<u>200</u>	8:00
	45	150	

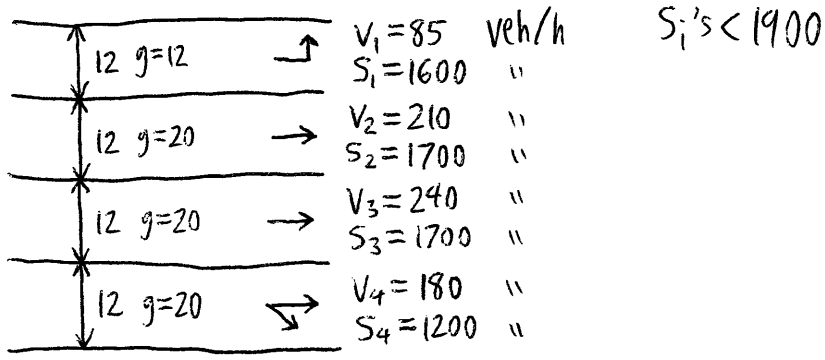
8:30	60	50	
------	----	----	--

$$\Rightarrow V = 1250 \text{ veh}$$

$$PHF = \frac{1250}{4 \times 400}$$

10/29/08

Ex.



$C = 90s$

$PF = 0.95$

capacity for each movement ↑

Approach	Movement	V	S	V/S	g	C	g/C	$C = S \times g/C$	$x = V/C$
EB	LT	85	1600	0.053	12	90	0.133	213	0.398
	TH	450	3400	0.132	20	90	0.222	755.6	0.596
	TH+RT	180	1200	0.150	20	90	0.222	266.7	0.675

↓ degree of saturation for each movement

$d = d_1 + PFd_2$

$d_1 = \frac{0.38C(1 - g/C)^2}{1 - g/C \times \min(x, 1.0)}$

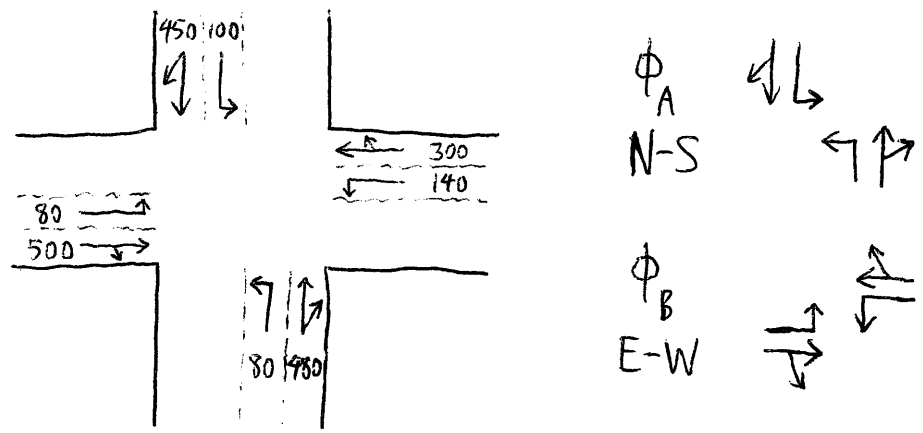
$d_2 = 173x^2 \left( (x-1) + \sqrt{(x-1)^2 + m \times \frac{x}{C}} \right)$   
 (Note:  $\frac{x}{C}$  has a downward arrow pointing to 1.0)

	$d_1$	$d_2$	d	LOS	Delay	LOS
LT	35.7	5.5	39.4	D		
TH	31.4	3.4	33.2	C	36.5	D
TH+RT	32.0	12.9	43.3	D		

$$d = \frac{d_{LT} V_{LT} + d_{TH} V_{TH} + d_{TH+RT} V_{TH+RT}}{V_{LT} + V_{TH} + V_{TH+RT}}$$

10/31/08

Ex 4.20.



Lost Time = 3 s /  $\phi$

$S(\text{TH} + \text{RT}) = 1700$

$Y + \text{AR} = 4 \text{ s}$

$S(\text{LT}) = 300$

C?  $g < \frac{\phi_A}{\phi_B}$ ?  $V$  pedestrians?

$\phi_A = \max \left\{ \frac{450}{1700}, \frac{100}{300}, \frac{480}{1700}, \frac{80}{300} \right\} = 0.333$

$\phi_B = \max \left\{ \frac{500}{1700}, \frac{80}{300}, \frac{300}{1700}, \frac{140}{300} \right\} = 0.467$

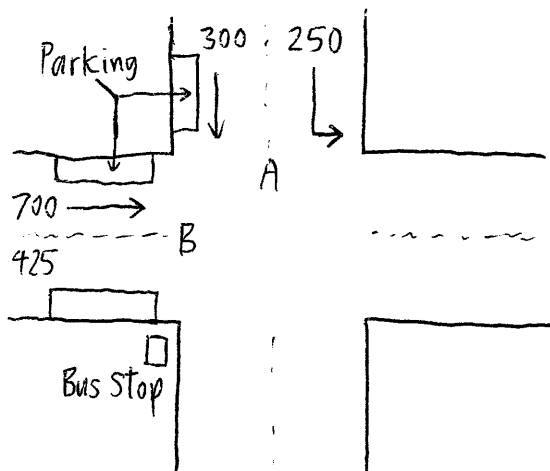
$CS = 0.333 + 0.467 = 0.8$

$\text{Cycle} = \frac{1.5L + 5}{1 - CS} = \frac{1.5(2 \times 3) + 5}{1 - 0.8} = 70 \text{ s}$

Phase	Cycle	Avail. CL	Allocation	Green	$G_p$
$\phi_A$	70	62	41.63%	26 s	13 s
$\phi_B$			58.37%	36 s	13 s

$G_p = 7 + \frac{W}{4} - (Y + \text{AR})$   
 $= 7 + \frac{40}{4} - 4 = 13$

## Ex 4.33.



$$S_o = 1800 \text{ veh/h}$$

$$S_o = 2000 \text{ veh/h}$$

$\phi_B$  12 ft lanes  
E-W 15% HV  
level grade  
high parking  
10 busses/hr  
non CBD area

$\phi_A$  10 ft lanes  
N-S 0% HV  
5% downhill  
medium parking  
no bus stop  
non CBD area

Approach	N	$f_w$	$f_g$	$f_{HV}$	$f_p$	$f_b$	$f_a$	$f_{RT}$	$f_{LT}$	S
A	2	0.93	1.03	1	0.8	1	1	1	0.85	2334
B	2	1	1	0.87	0.7	0.8	1	0.85	1	1593

$$f_{w_A} = 1 + \frac{W-12}{30} = 1 + \frac{10-12}{30} = 0.93 \quad f_{g_A} = 1 - \frac{\%G}{200} = 1 - \frac{-5}{200} = 1.03$$

$$f_{HV_B} = \frac{100}{100 + \%HV(E_T - 1)} = \frac{100}{100 + 15(2-1)} = 0.87$$

$$f_{p_A} = \frac{N - 0.1 - \frac{18N_b}{3600}}{N} = \frac{2 - 0.1 - \frac{18(60)}{3600}}{2} = 0.8 \quad f_{p_B} = \frac{2 - 0.1 - \frac{1800}{3600}}{2} = 0.7$$

$$f_b = \frac{N - 144N_b/3600}{N} = \frac{2 - \frac{144 \times 10}{3600}}{2} = 0.8$$

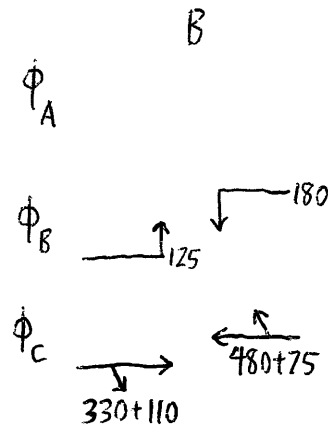
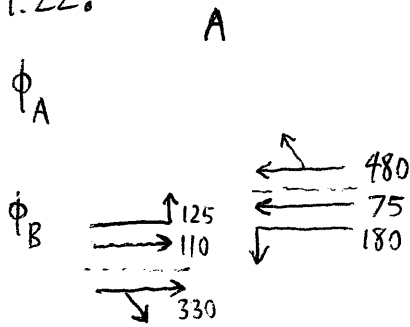
$$S = S_o \times N \times f_w \times f_g \times f_{HV} \times f_p \times f_b \times f_a \times f_{RT} \times f_{LT}$$

$$C = 60 \text{ s} \quad Y + AR = 7 \text{ s} \quad X_c = \frac{\sum v_{\text{critical}} \times C}{C - L} = \frac{0.942 \times 60}{60 - 7} = 1.06$$

	V	S	V/S	CS	L	C	$X_c$
A	550	2334	0.236	0.942	7	60	1.06
B	1125	1593	0.706				

Homework Help

4.22.



Compute  $X_c$ , < 1 or smaller

A

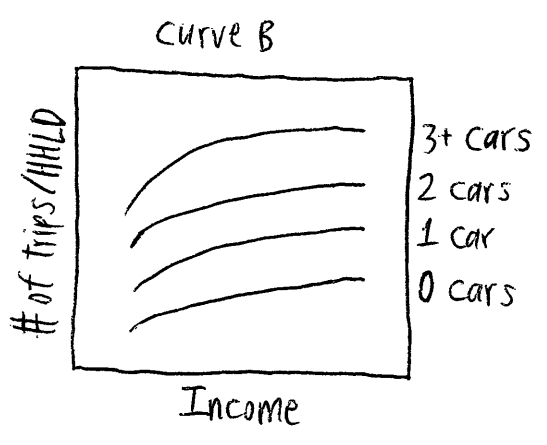
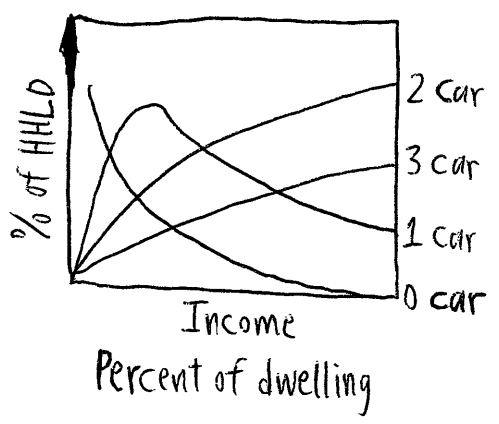
$$\phi_B: \max \left\{ \frac{125+110}{500}, \frac{330}{1700}, \frac{480}{1700}, \frac{75+180}{500} \right\}$$

B

$$\phi_B: \max \left\{ \frac{125}{1700}, \frac{180}{1700} \right\}$$

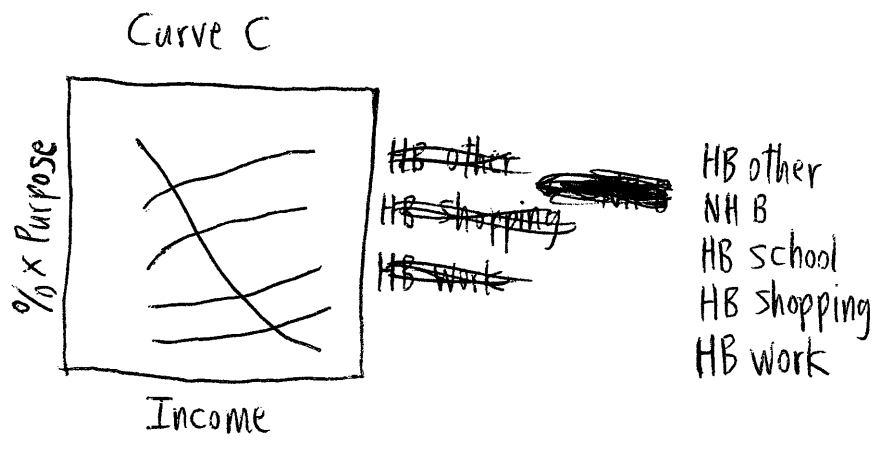
$$\phi_C: \max \left\{ \frac{440}{1700}, \frac{555}{1700} \right\}$$

$$X_c = \frac{\sum (V/S) \times C}{C-L} \quad (4.7.19)$$



Curve A  
 2% of HHLD → 0 cars  
 25% " " 1 car  
 45% " " 2 cars  
 28% " " 3 cars

# of trips = 5.5 0 cars  
 10 1 car  
 12 2 cars



Ex 8.7.

1500 HHLD (household)  
\$12,000

Find:  
-trips per household 0,1,2, #3+ cars  
-trips by purpose

Cars	% HHLD	HHLD	# of trips	Total Trips
0	2%	30	5.5	165
1	32%	480	12	5760
2	52%	780	15.5	12090
3+	14%	210	17.2	3612
100%		1500		21627

Purpose	%	# of trips	
HB work	19	4109	home-based work
HB shop	11	2379	" Shop
HB school	14	3028	" School
NHB	22	4758	Non home-based
HB other	34	7353	home-based other
100%		21627	

Ex 8.3.

1,525,000 ft<sup>2</sup> residential ~~space~~  
 3,675,000 ft<sup>2</sup> service  
 2,100,000 ft<sup>2</sup> retail  
 650,000 ft<sup>2</sup> governmental buildings

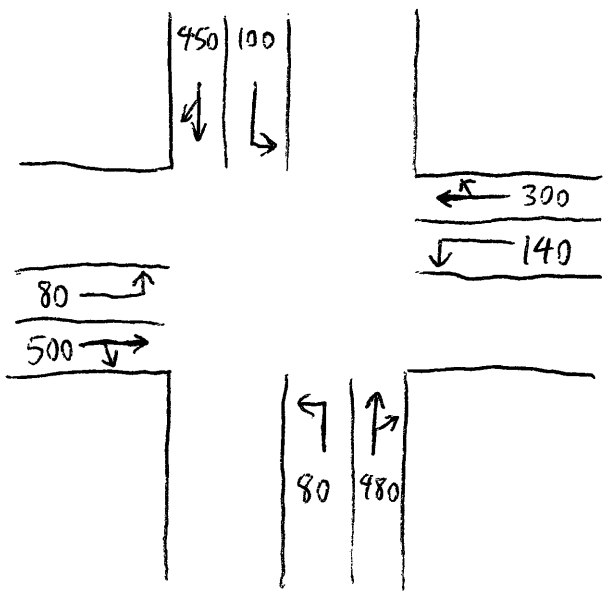
use Table 8.2.1  
 generation → residential  
 attraction → all others

residential:  $\times 2.4 = 3,660$  trips  
 retail:  $\times 8.1 = 17,010$  trips  
 service:  $\times 5.2 = 19,110$  trips  
 government:  $\times 3.9 = 2,400$  trips

5 subjects for the exam

- 1) PHF
- 2) Cycle Length calculation
- 3) Delay
- 4) Saturation Flow
- 5) Trip Generation

Ex.



$S=1700$   
10 ft lanes

$$\begin{aligned} \phi_A & \leftarrow \swarrow & \phi_A &= \max\left\{\frac{100}{1700}, \frac{80}{1700}\right\} = 0.059 \\ \phi_B & \downarrow \nearrow & \phi_B &= \max\left\{\frac{450}{1700}, \frac{480}{1700}\right\} = 0.282 \\ \phi_C & \rightarrow \searrow & \phi_C &= \max\left\{\frac{80}{1700}, \frac{140}{1700}\right\} = 0.082 \\ \phi_D & \leftarrow \swarrow & \phi_D &= \max\left\{\frac{500}{1700}, \frac{300}{1700}\right\} = 0.294 \end{aligned}$$

$$CS = 0.059 + 0.282 + 0.082 + 0.294 = 0.717$$

$$C_o = \frac{1.5L + S}{1 - CS} = \frac{1.5(3 \times 4) + 5}{1 - 0.717} = 80 \text{ s (approx.)}$$

	C	Avail. Green	% Green	Green Time	Pedest.
$\phi_A$	80	$80 - 12 = 68$	$0.059 / 0.717 = 8.26$	5	No
$\phi_B$			$0.282 / 0.717 = 39.5$	27	13 OK!
$\phi_C$			$0.082 / 0.717 = 11.48$	8	No
$\phi_D$			$0.294 / 0.717 = 41.18$	28	13 OK!

$$G_p = 7 + \frac{W}{4} - \eta = 7 + \frac{40}{4} - 4 = 13$$

Ex 8.6. Use Table 8.2.3, Suburban area

Non Work home based trips

Veh. HH Person	0	1	2+
1	50	150	100
2,3	10	500	300
4	100	400	100

Area	Veh HH	Person/HH		
		1	2,3	4
Urb.	0 1 2+			
Suburb.	0 1 2+	0.97 1.92 2.29	2.54 3.49 3.86	5.04 5.99 6.36
Rural	0 1 2+			

Total number of trips

$$50 \times 0.97 = 49$$

$$150 \times 1.92 = 288$$

$$100 \times 2.29 = 229$$

$$10 \times 2.54 = 25$$

$$500 \times 3.49 = 1745$$

$$300 \times 3.86 = 1158$$

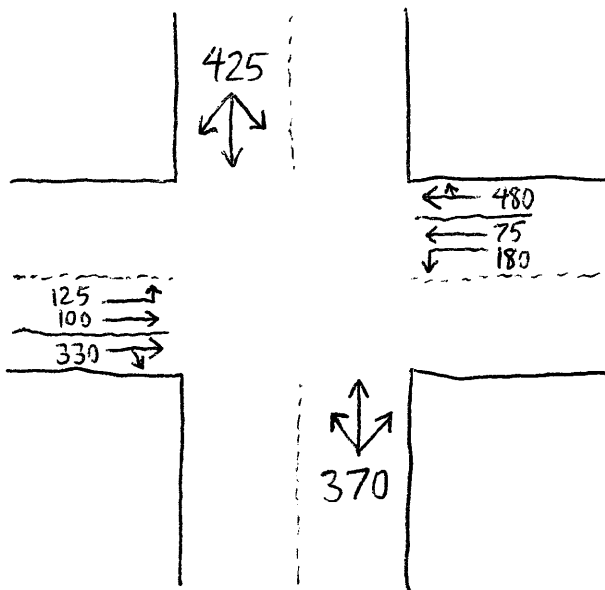
$$100 \times 5.04 = 504$$

$$400 \times 5.99 = 2396$$

$$100 \times 6.36 = 636$$

$$\text{Total} = 7030$$

Ex 4.35.



	C	A.G.	V/S	CS	g
$\phi_A$	100	92	0.354	0.864	38
$\phi_B$			0.51		54

$S(all) = 1200$   
 $S(TH+RT) = 1700$   
 $S(TH+LT) = 500$

Approach	Mvmt.	V	S	V/S	g	C	g/c
SB	all	425	1200		38		
NB	all	390	1200		38		
EB	TH+RT	330	1700		54	100	
	TH+LT	225	500		54		
WB	TH+RT	480	1700		54		
	TH+LT	255	500		54		

$C = S \times \frac{g}{c}$      $V/C$      $d_1$      $d_2$      $d$     LOS    weighted  $d$     Whole LOS

11/12/08

# Trip Distribution

$$Q_{IJ} = K \frac{P_I A_J}{W_{IJ}^c}$$

$$P_I = \sum_x Q_{Ix}$$

$$P_I = K P_I \sum_x \frac{A_x}{W_{Ix}^c}$$

$$P_I = K \sum_x \frac{P_I A_x}{W_{Ix}^c}$$

$$K = \left( \sum_x \frac{A_x}{W_{Ix}^c} \right)^{-1}$$

$$Q_{IJ} = P_I \left( \frac{A_J / W_{IJ}^c}{\sum_x A_x / W_{Ix}^c} \right)$$

$$F_{IJ} = \frac{1}{W_{IJ}^c}$$

$$Q_{IJ} = P_I \left( \frac{A_J F_{IJ}}{\sum_x A_x F_{Ix}} \right)$$

Ex 8.8.

	Production	Attractiveness
1	1000	2
2	0	5
3	2000	1

	J		
$W_{IJ}$	1	2	3
I 1	5	20	10
I 2	20	5	10
I 3	10	10	5

$K_{IJ}$

I \ J	1	2	3
1	1.1	1.5	0.8
2	0.6	1.2	0.5
3	1.0	1.4	1.3

$$\ln F = -1.5 \ln W$$

$$\ln \frac{1}{W^c} = -1.5 \ln W$$

$$\ln W^{-c} = -1.5 \ln W$$

$$c = 1.5$$

$$I=1 \quad P_I = 1000$$

J	$A_J$	$F_{IJ}$	$K_{IJ}$	$A_J \times F_{IJ} \times K_{IJ}$	$Q_{IJ}$
1	2	0.0894	1.1	0.1967	643
2	5	0.0112	1.5	0.084	274
3	1	0.0316	0.8	0.02528	84

$$F_{11} = \frac{1}{W_{11}^c} = \frac{1}{5^{1.5}}$$

$$\Sigma = 0.306 \quad \Sigma = 1000$$

Trips

	1	2	3
1	642	274	84
2	0	0	0
3	316	1104	580

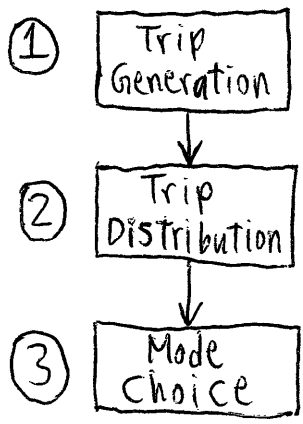
$$\Sigma = 3000$$

Ex (cont.).

$$I=3 \quad P_I=2000$$

J	$A_J$	$F_{IJ}$	$K_{IJ}$	$A_J \times F_{IJ} \times K_{IJ}$	$Q_{IJ}$
1	2	0.0316	1.0	0.0632	316
2	5	0.0316	1.4	0.2212	1104
3	1	0.0894	1.3	0.1162	580

$$F_{31} = \frac{1}{10^{1.5}}$$



- 1) Disaggregate
- 2) Alternatives {car, PT}
  - {car driver, car passenger, bus, train}
- 3) Utility  $\rightarrow$  linear in parameters  $\beta$
- 4) Attributes
  - Travel Time
  - Travel Cost
  - Frequency, No. of changes,
  - Access Time, Egress Time

safety, luggage  
 $\sum \beta \cdot X$

LOS attributes

SEC: Social economic characteristic

- age
- education
- prof. status
- income
- No. of adults
- No. of kids
- No. of cars

Individual

HHL D

$$U_{car} = -\beta_{Time} \times \text{Travel } T - \beta_{Cost} \times \text{Cost} = \pm 0.01 + ASC_{car}$$

$$U_{PT} = +\beta_{Freq} \times \text{Freq} + \beta_{Time} \times \text{Time}$$

$$ASC < 1^0$$

Alternative Specific Constant

$$N-ASC = N_{ALT} - 1 \quad N_{ALT} = 3 \quad N_{ASC} = 2$$

$$VOT: \text{value of time} = \beta_{Time} / \beta_{Cost}$$

LOGIT

$$P(K) = \frac{\exp^{U_k}}{\sum_{k=1}^n \exp^{U_k}}$$

$$\text{Ex. } U_k = a_k - 0.025X_1 - 0.032X_2 - 0.015X_3 - 0.002X_4$$

	$X_1$ access + egress time	$X_2$ waiting time	$X_3$ in veh. time	$X_4$ cost	ASC ( $a_k$ )
Car	5	0	20	100	—
Bus	10	15	40	50	-0.1

$$U_{\text{car}} = 0 - 0.025(5) - 0.032(0) - 0.015(20) - 0.002(100) = -0.625$$

$$U_{\text{bus}} = -0.01 - 0.025(10) - 0.032(15) - 0.015(40) - 0.002(50) = -1.530$$

$$P_{\text{car}} = \frac{e^{-0.625}}{e^{-0.625} + e^{-1.530}} = 0.71$$

$$P_{\text{bus}} = 1 - 0.71 = 0.29$$

$$\text{VOT} = \frac{-0.015}{-0.002} \times 60 = 4.50$$

$$a_{IJ} = 5000$$

$$P(\text{car}) = \frac{e^{U_{\text{car}}}}{e^{U_{\text{car}}} + e^{U_{\text{bus}}}}$$

$$P(\text{bus}) = \frac{e^{U_{\text{bus}}}}{e^{U_{\text{car}}} + e^{U_{\text{bus}}}}$$

$$U_{\text{car}} = -0.625$$

$$U_{\text{bus}} = -1.530$$

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(same example from previous lecture expect train is added)

X<sub>1</sub> = access & egress time

X<sub>2</sub> = waiting time

X<sub>3</sub> = in veh-time

X<sub>4</sub> = cost

	X <sub>1</sub>	X <sub>2</sub>	X <sub>3</sub>	X <sub>4</sub>	a <sub>k</sub>
Train	10	5	30	75	-0.06

$$U_{\text{Train}} = -0.06 - 0.025(10) - 0.032(5) - 0.015(30) - 0.002(75) = -1.070$$

$$P_{\text{car}} = \frac{e^{-0.625}}{e^{-0.625} + e^{-1.530} + e^{-1.070}} = 0.489$$

$$P_{\text{bus}} = \frac{e^{-1.530}}{e^{-0.625} + e^{-1.530} + e^{-1.070}} = 0.198$$

$$P_{\text{Train}} = \frac{e^{-1.070}}{e^{-0.625} + e^{-1.530} + e^{-1.070}} = 0.313$$

$$Q_{IJ} = 5000$$

$$Q_{IJ \text{ Bus}} = 5000 \times 0.198 = 990 \times 0.50 =$$

$$Q_{IJ \text{ Train}} = 5000 \times 0.313 = 1565 \times 0.75 =$$

\$1,669 Total Revenue

If cost of train is doubled,

$$U_{\text{train}} = -1.22$$

$$P_{\text{car}} = 0.511 \quad P_{\text{bus}} = 0.207 \quad P_{\text{train}} = 0.282$$

$$Q_{IJ \text{ Bus}} = 0.207 \times 5000 = 103.5 \times 0.50$$

$$Q_{IJ \text{ Train}} = 0.282 \times 5000 = 1410 \times 1.50$$

Total Revenue = \$2632

## Incremental Logic

$$P_k = \frac{e^{U_k + \Delta U_k}}{\sum_x e^{U_x + \Delta U_k}} = \frac{e^{U_k} \times e^{\Delta U_k}}{\sum_x (e^{U_k} \times e^{\Delta U_k})}$$

$$P_k' = \frac{\frac{e^{U_k}}{\sum_x e^{U_x}} \times e^{\Delta U_k}}{\sum_x \frac{\exp U_x}{\sum_x \exp U_x} \times e^{\Delta U_x}} = \frac{P_k \times e^{\Delta U_k}}{\sum_x P(x) e^{\Delta U_x}}$$

$$P_{\text{Train}} \quad C \rightarrow 0.75 - 1.50$$

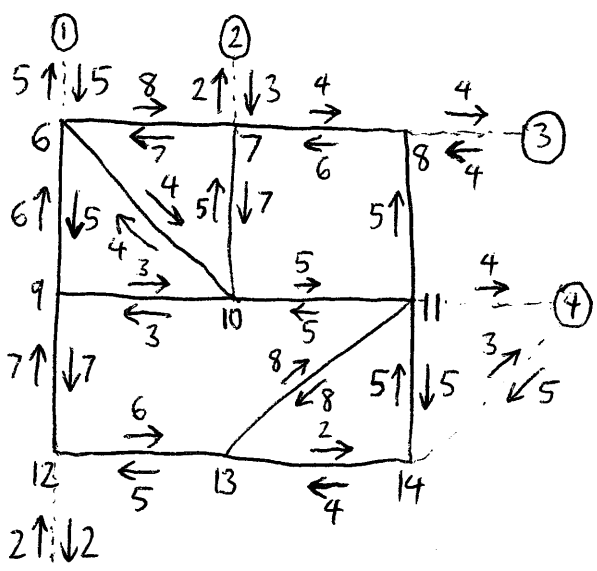
$$P_{\text{Train}} = \frac{0.313 \exp(\Delta U_k)}{0.489 \exp(\Delta U_k) + 0.198 \exp(\Delta U_k) + 0.313 \exp(\Delta U_k)}$$

$$\Delta U_k = -0.002 \times 75 = -0.15$$

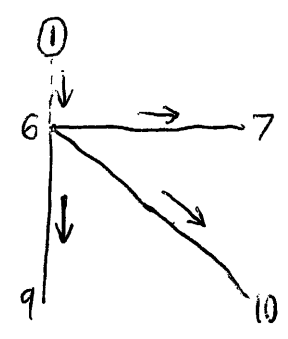
$$= \frac{0.313 e^{-0.15}}{(0.489 + 0.198 + 0.313) e^{-0.15}} = 0.282$$

another method to compute probabilities

Ex.



Tree



Q <sub>1j</sub>	2	3	4	5
	800	500	600	200

Stage	Link	Compute impedance	Compare impedance	Decide
I	1-6	5	5 < ∞	Accept
II	6-7 -9 -10	5+8=13 5+5=10 5+4=9		

Node	Impedance		
	0	I	II
1	1		
2	∞		
3	∞		
4	∞		
5	∞		
6	∞	5	
7	∞		13
8	∞		
9	∞		10
10	∞		9
11	∞		
12	∞		
13	∞		
14	∞		

	Preceding Node	
	I	II
1		
2		
3		
4		
5		
6	1	
7		6
8		
9		6
10		6
11		
12		
13		
14		

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Ex (from previous class).

Stage	Link	Impedence	Compare	Decide	
III	7	2	$13+2=15$	$15 < \infty$	A
		8	$13+4=17$	$17 < \infty$	A
		10	$13+7=20$	$20 > 9$	R
	9	6	$10+6=16$	$16 > 5$	R
		10	$10+3=13$	$13 > 10$	R
		12	$10+7=17$	$17 < \infty$	A
	10	7	$9+5=14$	$14 > 13$	R
		9	$9+3=12$	$12 > 10$	R
		11	$9+5=14$	$14 < \infty$	A
IV	11	4	$14+4=18$	$18 < \infty$	A
		8	$14+5=19$	$19 > 17$	R
	10	$14+5=19$	$19 > 9$	R	
	13	$14+8=22$	$22 < \infty$	A	
	14	$14+5=19$	$19 < \infty$	A	
V	8	3	$17+4=21$	$21 < \infty$	A
		7	$17+6=23$	$23 > 13$	R
	12	9	$17+7=24$	$24 > 10$	R
		13	$17+6=23$	$23 > 22$	R
	5	$17+2=19$	$19 < \infty$	A	

A=Accept  
R=Reject

J	Impedence J						Node Preceding J				
	0	I	II	III	IV	V	I	II	III	IV	V
1	$\infty$										
2	$\infty$			15					7		
3	$\infty$					21					8
4	$\infty$				18					11	
5	$\infty$					19					12
6	$\infty$	5					1				
7	$\infty$		13					6			
8	$\infty$			17					7		
9	$\infty$		10					6			
10	$\infty$		9					6			
11	$\infty$			14					10		
12	$\infty$			17					9		
13	$\infty$				22					11	
14	$\infty$				19					11	

HW #4: 8.9, 8.19, 8.22, 11.10 due M 12/8

11/24/08

Ex.

Alt	PW Benefits	PW Cost	NPW	B/C
A	1.8	1.2	0.6	1.5
B	2.9	2.2	0.7	1.32

B has better NPW

A has better B/C

Use incremental B/C analysis, have \$2.2 million to spend

1.8 + 1.0 = 2.8 Benefit for A

2.9 Benefit for B

Choose Alt B.

Ex.

Alt	PW Cost	PW Benefit	B/C	
A	100	150	1.5	No
B	150	190	1.27	No
C	200	270	1.35	
D	300	290	0.97	No
E	320	350	1.09	

$$\textcircled{A}-\text{B} \quad \begin{aligned} \text{PWC} &= 150 - 100 = 50 \\ \text{PWB} &= 190 - 150 = 40 \end{aligned} \quad \frac{\Delta B}{\Delta C} = \frac{40}{50} < 1 \quad \text{choose less cost Alt.}$$

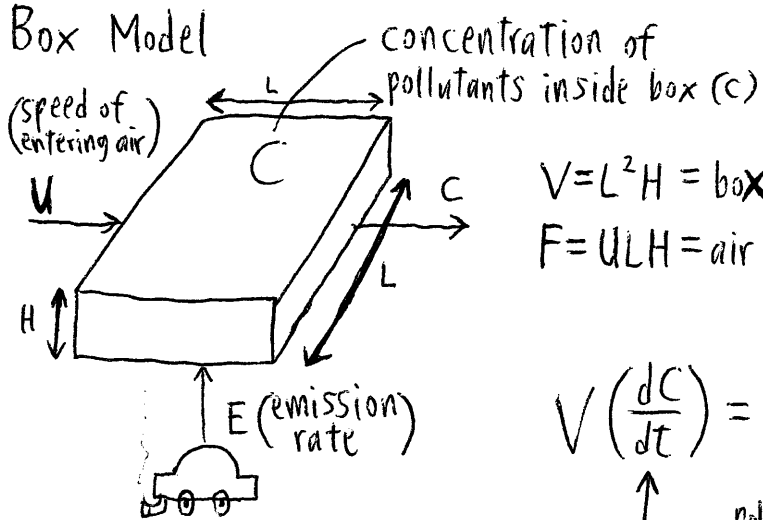
$$\text{A}-\textcircled{C} \quad \begin{aligned} \text{PWC} &= 200 - 100 = 100 \\ \text{PWB} &= 270 - 150 = 120 \end{aligned} \quad \frac{\Delta B}{\Delta C} = \frac{120}{100} = 1.2 > 1$$

$$\textcircled{C}-\text{E} \quad \begin{aligned} \text{PWC} &= 320 - 200 = 120 \\ \text{PWB} &= 350 - 270 = 80 \end{aligned} \quad \frac{\Delta B}{\Delta C} = \frac{80}{120} < 1$$

Choose Alt. C

12/1/08

## Box Model



$$V = L^2 H = \text{box vol.}$$

$$F = ULH = \text{air flow}$$

$$V \left( \frac{dC}{dt} \right) = E - FC$$

↑ pollutants entering

↑ pollutants exiting

rate of change of pollution inside box

Ex. 3 p. 524

$$E = Ae^{-Bt} \quad A \text{ \& B are constants}$$

$$C @ t=0 \Rightarrow K$$

$$E - FC = V \frac{dC}{dt}$$

$$\frac{A}{V} e^{-Bt} - \frac{FC}{V} = \frac{dC}{dt}$$

$$Ae^{-Bt} - FC = V \frac{dC}{dt}$$

$$\frac{dC}{dt} + \frac{FC}{V} = \frac{A}{V} e^{-Bt}$$

$$\frac{Ae^{-Bt} - FC}{V} = \frac{dC}{dt}$$

$$\text{Integration factor} = e^{(F/V)t} = \mu$$

$$\int \frac{d(Ce^{(F/V)t})}{dt} = \int \frac{A}{V} e^{(F/V - B)t}$$

$$Ce^{(F/V)t} = \frac{A}{V} \cdot \frac{V}{F - BV} e^{(F/V - B)t} + D$$

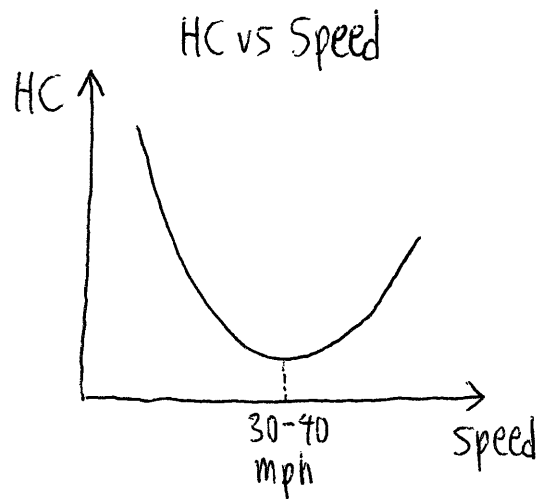
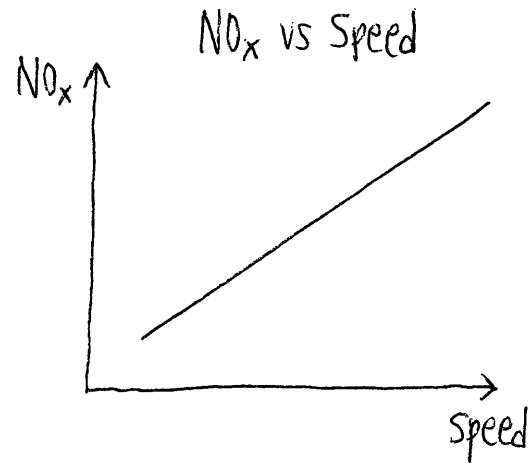
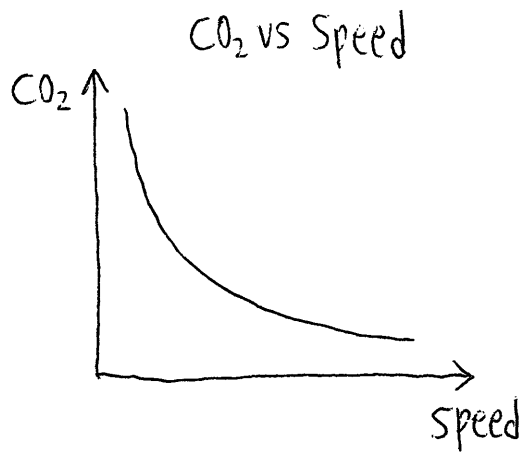
$$C = \frac{A}{F - BV} e^B + \frac{D}{e^{(F/V)t}}$$

$$K = \frac{A}{F - BV} e^{-B \cdot (0)} + D$$

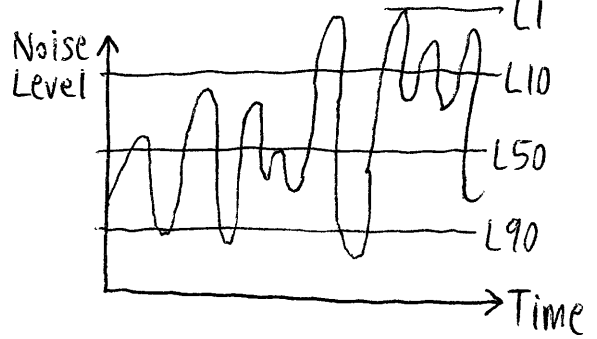
$$D = K - \frac{A}{F - BV}$$

$$C = \frac{A}{F - BV} e^B + \left( K - \frac{A}{F - BV} \right) e^{-Ft/V}$$

## Air Pollution Graphs



# Noise Generation



# Nomograph p. 513

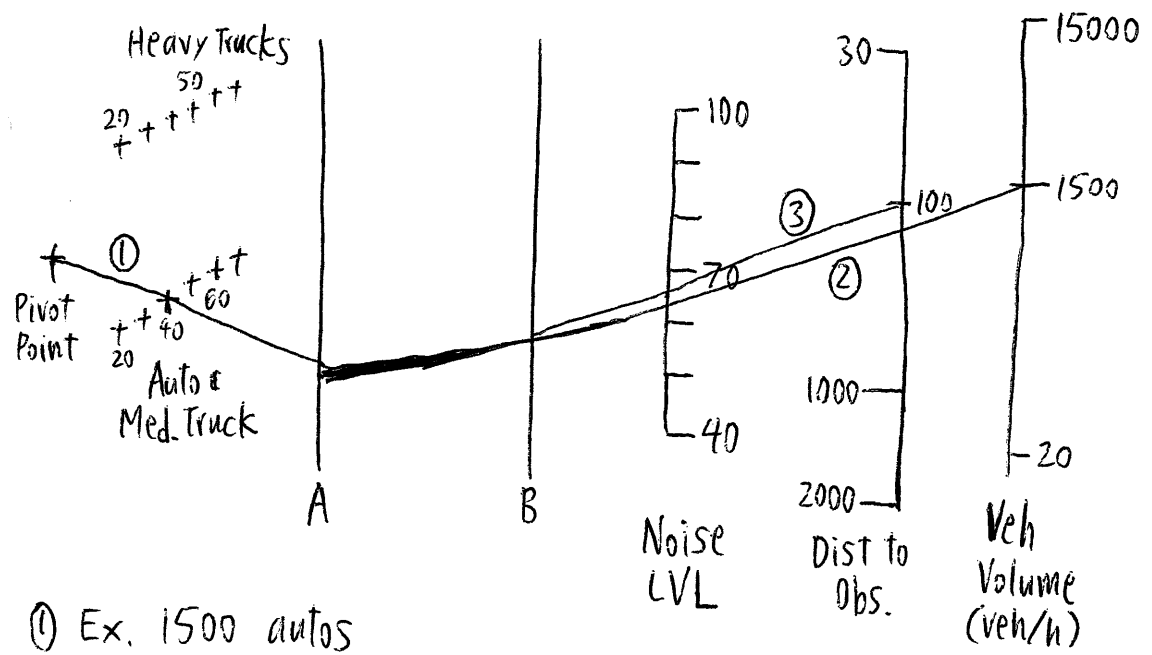
Inputs: volumes & speeds of autos, med. trucks, heavy trucks  
 Output: estimate of  $L_{10}$  at a given distance away

1 med. truck = 10 automobiles

$$U_{med. truck} = U_{auto} \Rightarrow V_{mt} + V_a$$

add volumes

Heavy trucks are calculated separately



① Ex. 1500 autos  
 40 mi/h  
 $L_{10} = ?$   
 Obs is 100 ft away

- ① Line from pivot thru corresponding spd to A
- ② Line from A to corresponding volume
- ③ Line from intercept to corresponding distance to Obs. and get  $L_{10}$  from intersection of this line & the noise LVL scale

## Exercise 12.

100 heavy trucks, 50 mph

30 med. trucks, 40 mph

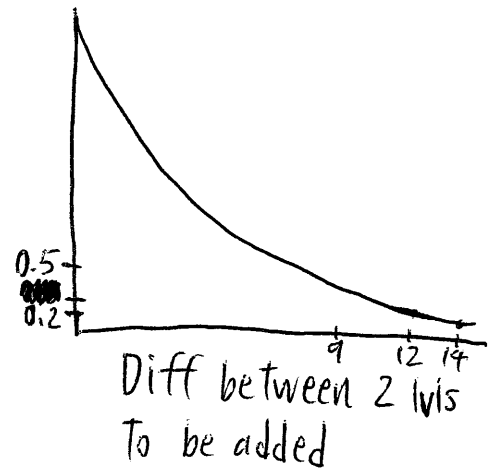
600 autos, 50 mph

hwy width - 80 ft

width of buffer to ensure  $\leq 60$  dB

$$30 \text{ MT} \times 10 \frac{\text{auto}}{\text{MT}} = 300 \text{ autos}$$

$D_c$	Heavy Trucks	Medium Trucks	Cars	<del>MT</del> Total
600	60	46 +14	51 +9	60+0.2 +0.5=60.7
700	59	45.5 +14.5	50 +9	59+0.2 +0.5=59.7



For final exam:

Ch 8

- Trip distribution

- Mode choice

- Assignment

Ch 11

- Evaluation

Ch 10

- Pollution / Noise

Ex.

	NPW	Aesthetics	Electorate
A	6	70	Neutral
B	13	40	Favorable
C	14	90	Unfavorable

	NPW	Asth.	Elect.	Sum
A	1	2	2	5
B	2	1	3	6
C	3	3	1	7

where 1 = worst, ..., 3 = best

C is best, B is middle, & A is worst

$$W(\text{NPW}) = 2$$

$$W(\text{Asth}) = 1$$

$$W(\text{Elect}) = 4$$

Weighted Score

	NPW	Asth.	Elect.	Sum
A	2	2	8	12
B	4	1	12	17
C	6	3	4	13

B is best, C is middle, & A is worst

Convert to uniform scale

$$\frac{6}{14} \times 90 = 40 \quad \frac{13}{14} \times 90 = 85$$

	NPW	Aesthetics	Electorate	Sum
A	40	70	50	160
B	85	40	80	205
C	90	90	40	220

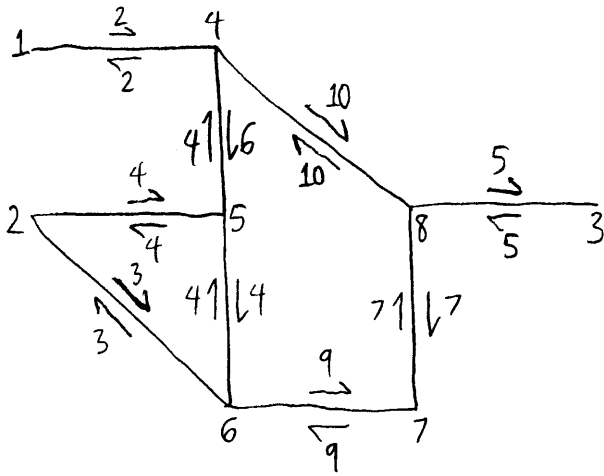
same result  
as the original

Ex. (cont.)

	NPW	Asth.	Elect.	Sum
A	80	70	200	350
B	170	40	320	530
C	180	90	160	430

same result  
as the original

Ex.

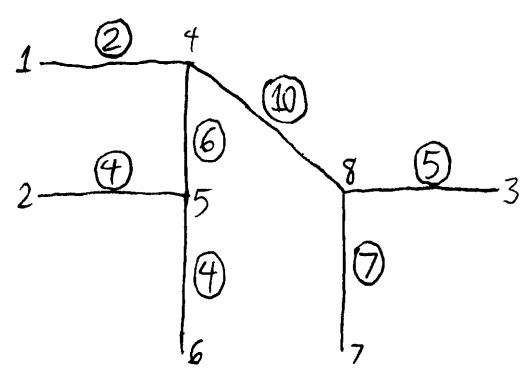


Stage	I-J	W	Compare	Decision
I	1-4	0+2	$2 < \infty$	Accept
	4-5	$2+6=8$	$8 < \infty$	Accept
II	-8	$2+10=12$	$12 < \infty$	Accept
	5-2	$8+4=12$	$12 < \infty$	Accept
III	-6	$8+4=12$	$12 < \infty$	Accept
	-4	$8+4=12$	$12 > 2$	Reject
	8-3	$12+5=17$	$17 < \infty$	Accept
	-4	$12+10=22$	$22 > 2$	Reject
	-7	$12=7=19$	$19 < \infty$	Accept
	IV	2-5	$12+4=16$	$16 > 8$
-6	$12+3=15$	$15 > 12$	Reject	
6-2	$12+3=15$	$15 > 12$	Reject	
-5	$12+4=16$	$16 > 2$	Reject	
-7	$12+9=21$	$21 > 19$	Reject	

Ex. (cont.)

J	W				
	0	I	II	III	IV
1	-				
2	∞			14	15
3	∞			17	
4	∞	2		22	16
5	∞		8		16
6	∞			12	15
7	∞			19	21
8	∞		12		

	Preceding Node		
	I	II	III
1			
2			5
3			8
4	1		
5		4	
6			5
7			8
8		4	



$P_1 = 2500$

$Q_{12} = ? \quad Q_{13} = ?$

$A_2 = 1.5 \quad A_3 = 3.5 \quad K_{12} = K_{13} = 1.0$

	A	W	F	K	AFK	%		
2	1.5	12	0.0069	1.0	0.0103	46	2500	1155
3	3.5	17	0.0034	1.0	0.0121	54		1345

$\Sigma = 0.0224$

12/10/08

Ex 10.2.

$$q_{\text{before}} = 5100 \text{ veh/h}$$

3 lanes

$$q_{\text{after}} = 4200 \text{ veh/h}$$

0°F level of service F

$$q = 42.0K - 0.25K^2$$

Fig. 10.2.2 to calculate emission (in pg. 503)

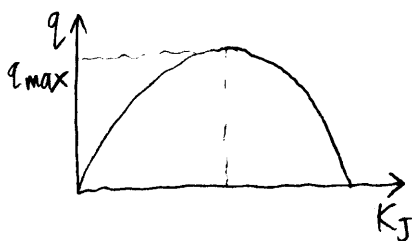
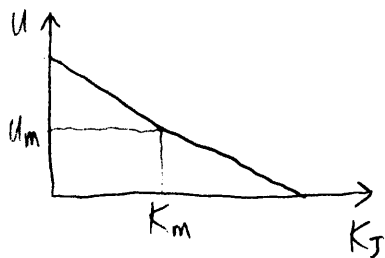
T(F), u need to compute these terms

$$u = \frac{q}{K} = 42 - 0.25K$$

$$u = 0 \Rightarrow K_J = 168 \text{ veh/mi}$$

$$K_m = K_J / 2 = \frac{168}{2} = 84 \text{ veh/mi}$$

$$u_m = 42 - 0.25 \times 84 = 21 \text{ mi/hr}$$



$$q = \frac{5100}{3} = 1700 \text{ veh/h}$$

$$1700 = 42K - 0.25K^2$$

$$K_1 = \begin{cases} 100 \text{ veh/mi} \\ 68 \text{ veh/mi} \end{cases}$$

LOS F  $\Rightarrow K_1 > K_m$ 

$$E_1 = 5100 \times 114 = 581,400 \text{ g/mi}$$

$$K_1 = 100 \text{ veh/mi} \quad u_1 = 42 - 0.25 \times 100 = 17 \text{ mi/hr}$$

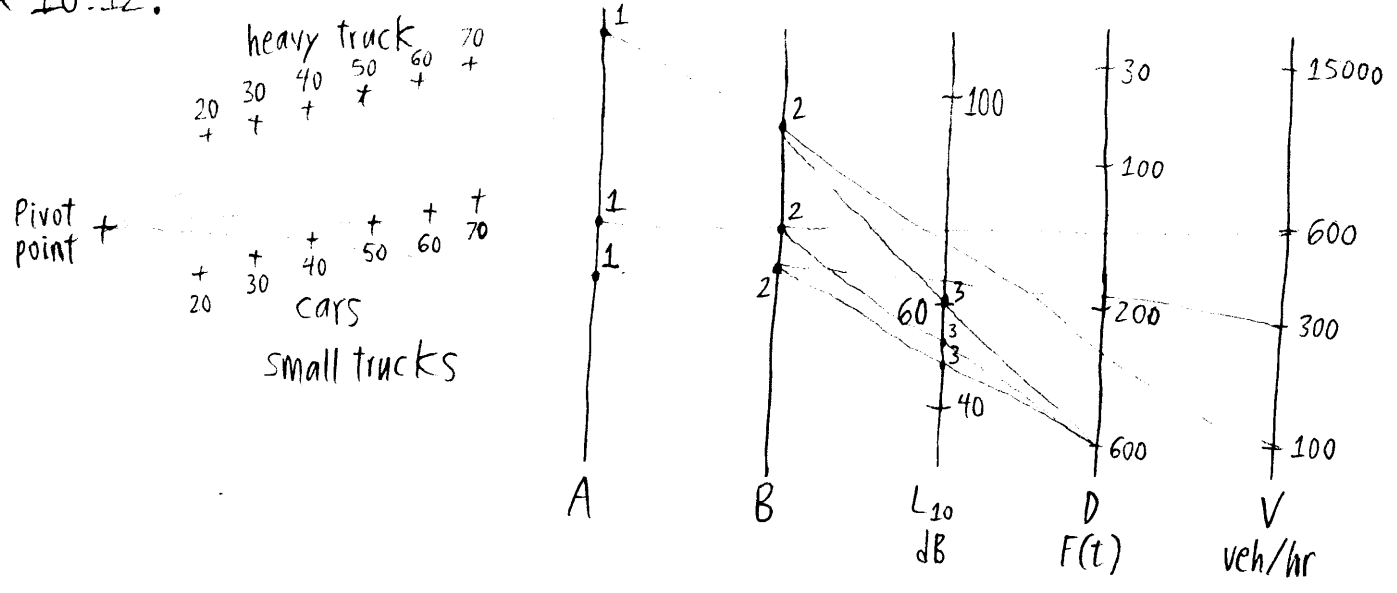
$$q = 4200/3 = 1400 \text{ veh/h}$$

$$K = \begin{cases} 122 \text{ veh/mi} \\ 46 \text{ veh/mi} \end{cases}$$

better LOS  $\Rightarrow K_2 = 46 \text{ veh/mi} \quad u_2 = 30.5 \text{ mi/hr}$ 

$$E_2 = 4200 \times 74 = 310,800 \text{ g/mi}$$

Ex 10.12.



100 heavy trucks 50 mi/h  
 30 medium trucks 40 mi/h  
 600 cars 50 mi/h

60 dB  
 1ST = 10 cars 30 MT = 300 cars

D(ft)	heavy veh	medium truck	cars
	L	L	L
600	60	46	51
		14	9
		+0.2	+0.5 = 60.7
700			

- 1) Pivot point to speed  $\rightarrow$  A
- 2) A to volumes  $\rightarrow$  B
- 3) B to distance  $\rightarrow$   $L_{10}$

Fig. 10.3.4 for log scale

